## REPORT No. 827

# CHARTS FOR THE MINIMUM-WEIGHT DESIGN OF 24S-T ALUMINUM-ALLOY FLAT COMPRESSION PANELS WITH LONGITUDINAL Z-SECTION STIFFENERS

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#### SUMMARY

Design charts are developed for 24S-T aluminum-alloy flat compression panels with longitudinal Z-section stiffeners. These charts make possible the design of the lightest panels of this type for a wide range of design requirements. Examples of the use of the charts are given and it is pointed out on the basis of these examples that, over a wide range of design conditions, the maintenance of buckle-free surfaces does not conflict with the achievement of high structural efficiency. The achievement of the maximum possible structural efficiency with 24S-T aluminum-alloy panels, however, requires closer stiffener spacings than those now in common use.

#### INTRODUCTION

In a longitudinally stiffened compression panel, in which all the material is active in carrying load, the requirement of minimum weight is tantamount to that of carrying the load at the highest possible average stress. The average stress developed by such a panel under the loading conditions imposed is thus a direct measure of the structural efficiency of the panel. If longitudinally stiffened compression panels are to be designed for high structural efficiency without a large number of cut-and-try computations, it is desirable that design charts be prepared to indicate the average stress attainable under various loading conditions. The preparation of such charts requires that a suitable design parameter in which the important loading conditions are incorporated be found.

It has been found that a suitable parameter for longitudinally stiffened compression panels in the design of which the transverse stiffness can be neglected is  $\frac{P_i}{L/\sqrt{c}}$ ,

where  $P_i$  is the compressive load per inch of panel width, L is the panel length, or distance between supporting ribs, and c is the coefficient of end fixity at the ribs. The quantity  $P_i$ , which is essentially independent of the distribution of material in the compression panel, can be estimated for a wing panel from the bending moment on the wing and the thickness and chord of the wing. The length L may be fixed by the presence of such installations as fuel tanks or armament or may be arbitrarily assigned for the purpose of arriving at a trial design.

In reference 1 buckling stresses were plotted against the parameter  $\frac{P_i}{L/\sqrt{c}}$ , with slightly different notation, to form the basis of a theoretical study of the efficiencies of various

types of stiffening elements. In the present paper the same parameter has been used as a basis for the preparation of design charts from extensive test data on 24S-T aluminum-alloy flat compression panels with longitudinal Z-section stiffeners; the data were obtained from reference 2 and from additional tests completed since publication of reference 2. These charts make possible the choice of the lightest panels of this type to conform to a wide range of design conditions. An appendix is presented in which the procedure followed in preparing the charts from test data is described and the method for obtaining  $\frac{P_i}{L/\sqrt{c}}$  as a natural

parameter against which the average stress may be plotted to obtain a direct measure of structural efficiency is developed.

#### SYMBOLS AND DEFINITIONS

The symbols used for the principal panel cross-sectional dimensions are indicated in figure 1. In addition, the following symbols are used:

- A: cross-sectional area per inch of panel width, or equivalent thickness of panel, inches
- L length of panel, inches.
- Pt compressive load per inch of panel width, kips per inch
- E<sub>c</sub> modulus of elasticity in compression, ksi
- c coefficient of end fixity as used in Euler column formula
- k coefficient in formula for local-buckling stress
- ρ radius of gyration of panel cross section, inches
- π nondimensional coefficient that takes into account reduction in effective modulus of elasticity when panel fails as a column beyond the elastic range
- $\sigma_{cr}$  critical stress, or stress for local buckling, ksi
- $\overline{\sigma}_c$  average stress at column failure, ksi
- $\overline{\sigma}_{max}$  average stress at local failure, ksi
- $\bar{\tau}_i$  average stress at failure for any panel, ksi

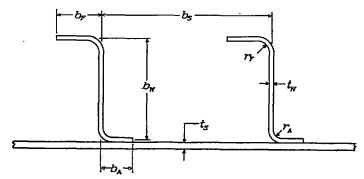


FIGURE 1.—Symbols for panel dimensions,

The average stress at which any particular panel fails,  $\overline{\sigma}_f$ , may be a local-failure stress, a column-failure stress, or the stress for a type of failure intermediate to these two. Failure by twisting of the stiffeners is included as a form of local failure. Because the design charts are based on actual test data, it is not necessary to make any distinction between local and twisting failure. Such a distinction, moreover, would be at best an arbitrary one, as the two types of failure are interrelated in the case of stiffened panels.

It should be noted that the local-failure stress  $\overline{\sigma}_{max}$ , which represents the maximum value of average stress that can be achieved in a given cross section as the panel length is reduced, is an average stress at failure and is not to be confused with the stress for local buckling  $\sigma_{cr}$ , which does not necessarily imply failure. The term "local buckling" as used herein includes both buckling of the skin and buckling of the stiffeners, because neither of these elements can buckle without exerting moments on, and thus causing deformation of, the other element.

#### DESIGN CHARTS

Design charts for 24S-T aluminum-alloy flat compression panels with longitudinal Z-section stiffeners are presented in figures 2 to 5. The procedure used in the preparation of these charts from test data is described in the appendix. Values of  $A_d/t_s$ , necessary for arriving at a final design, are given in tables 1 to 3 for a wide range of dimension ratios.

In order to show the maximum stresses attainable by the use of panels of the type to which the charts apply, envelopes are indicated by the dashed lines for each value of the ratio  $b_S/t_S$  in figures 2 to 5. These envelopes have been combined (fig. 6) to give the over-all envelopes for the four values of the ratio  $t_W/t_S$ . The values of  $b_S/t_S$  and  $b_W/t_W$  needed in order that a panel will develop the stress indicated by an envelope are also given in figure 6.

The design parameter  $\frac{P_t}{L/\sqrt{c}}$  against which stress is plotted in figures 2 to 6, comprises the principal design conditions: the compressive load per inch of panel width; the length of panel, or distance between supporting ribs; and the coefficient of end fixity. The most efficient (lightest) panel for a given combination of these conditions is that panel which will develop the highest average stress for the particular value of  $\frac{P_t}{L/\sqrt{c}}$ .

Discussion of charts.—The charts include a wide range of panel proportions. All the charts have been drawn for a value of  $\frac{b_F}{b_W}$ =0.4; it is shown in the appendix (figs. 17 to 20), however, that curves for  $\frac{b_F}{b_W}$ =0.3 and 0.5 would be in close agreement with the curves for  $\frac{b_F}{b_W}$ =0.4. The curves of figures 2 to 5 may therefore be applied with reasonable accuracy for any value of  $b_F/b_W$  between 0.3 and 0.5. The available test data seem to indicate, moreover, that the most efficient use of material will be realized if a proportion in this range is selected. (See appendix.)

The short horizontal lines that intersect the curves of figures 2 to 5 indicate, for each panel cross section having appreciable local buckling, the stress at which this buckling occurs. In this report this stress is taken as that at which the compressive strain on one side of the skin or the stiffener web begins to be reduced with increasing load. This definition of buckling is convenient for structural testing; from the standpoint of aerodynamic smoothness, appreciable buckling probably takes place at stresses somewhat lower than those indicated on the charts. It will be noted that for some of the lower values of  $b_S/t_S$  and  $b_{W}/t_W$  no buckling stress is shown. In these cases, there will undoubtedly be some buckling but presumably it will occur at a stress coincident with or only very shightly below the failure stress.

It is pointed out that for  $\frac{t_w}{t_s} = 0.79$  and 1.00 (figs. 4 and 5),

the curves for values of  $\frac{bs}{t_g}$ =25 and 30 have been obtained entirely by extrapolation. These curves should therefore be used with a certain degree of caution. A few check tests made since the preparation of the charts, however, indicate that the curves will in no case be more than 6 percent unconservative. In all the other curves, it is believed that any unconservatism that may be present is of much smaller magnitude.

Discussion of tests and test panels.—In order that the design charts may be properly used, it is necessary to know something of the test panels and the test results on which the design charts are based. The details of these tests are described in reference 2; some of the pertinent information regarding the tests follows:

The test panels consisted of six stiffeners and five bays. The panels were tested flat-ended and without edge support. A fixity coefficient of 3.75 was used in reducing the test data for application to an effective pin-ended length. The average compressive yield strength for the material of which the test panels were constructed was about 44 ksi; the minimum yield strength, about 41 ksi; and the maximum yield strength, about 46.5 ksi. The rivets were countersunk and were driven by the NACA method of inserting a flat-head rivet from the stiffener side of the hole, upsetting the rivet shank into the countersunk cavity, and milling off the protruding portion of the upset shank. The rivets were A175-T (AN442AD) and were of the sizes and spacings indicated by the following table:

<u>t n∙</u> ta	Rivet spacing	Rivet diameter
0. 51	10.0	1. 60
. 63	12.3	1. 84
. 79	12.3	1. 93
1. 00	11.7	1. 95

Because the compressive strength of stiffened panels may be affected by the size and spacing of the rivets used to attach stiffeners to skin (reference 3), the rivet attachment must be equivalent to that indicated by the foregoing table in order to be sure of realizing the strengths indicated by the design charts.

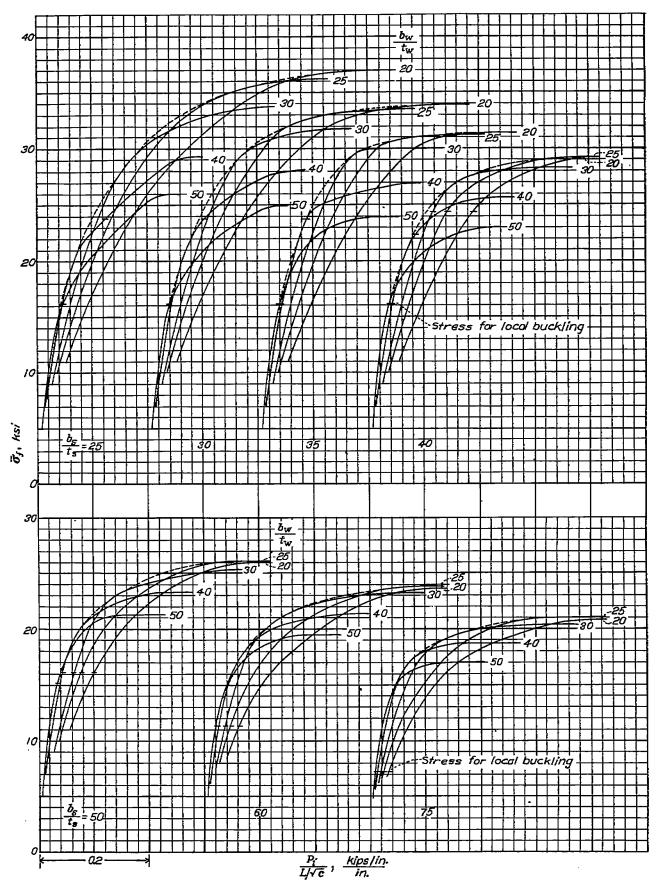


FIGURE 2.—Design chart for 24S-T aluminum-alloy flat panels with Z-section stiffeners;  $\frac{t_W}{t_S} = 0.51 \left( \frac{b_A}{t_W} = 11.4; \frac{r_A}{t_W} = 3; \frac{r_F}{t_W} = 4; \text{ and } \frac{b_F}{b_W} = 0.3 \text{ to } 0.5 \right).$ 

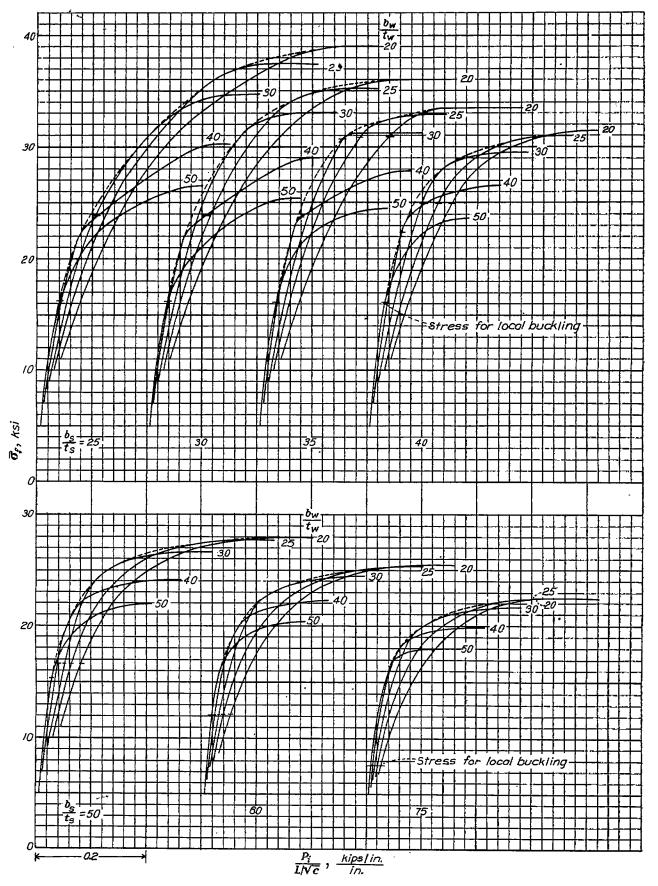


FIGURE 3.—Design chart for 248-T aluminum-alloy flat panels with Z-section stiffeners;  $\frac{t_W}{t_S}$ =0.63  $\left(\frac{b_A}{t_W}$ =10.9;  $\frac{r_A}{t_W}$ =3;  $\frac{r_F}{t_W}$ =4; and  $\frac{b_F}{b_W}$ =0.3 to 0.5  $\right)$ .

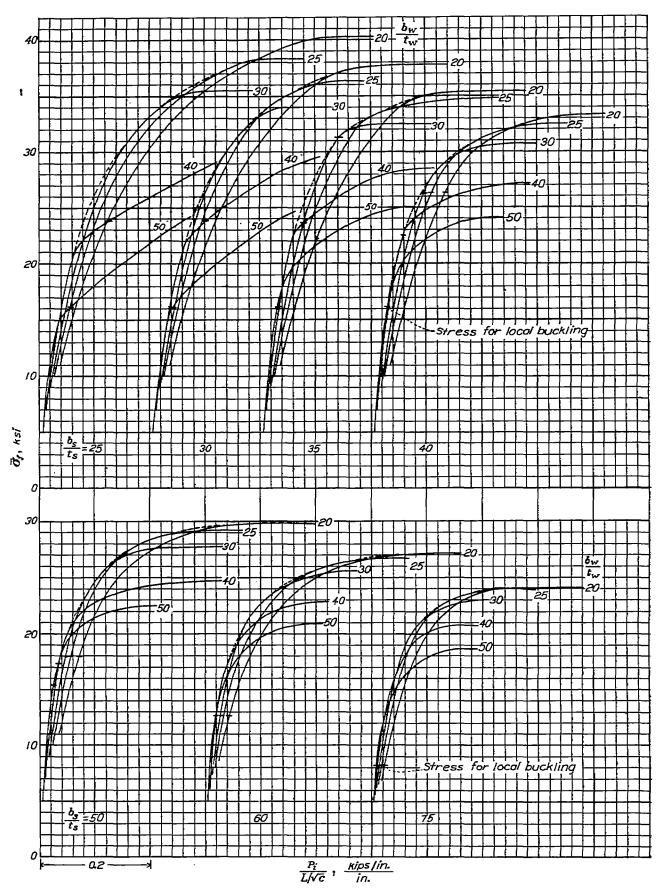


FIGURE 4.—Design chart for 24S-T aluminum-alloy flat panels with Z-section stiffeners;  $\frac{t_W}{t_S} = 0.79 \left( \frac{b_A}{t_W} = 9.8; \frac{r_A}{t_W} = 3; \frac{r_F}{t_W} = 4; \text{ and } \frac{b_F}{b_W} = 0.3 \text{ to } 0.5 \right)$ .

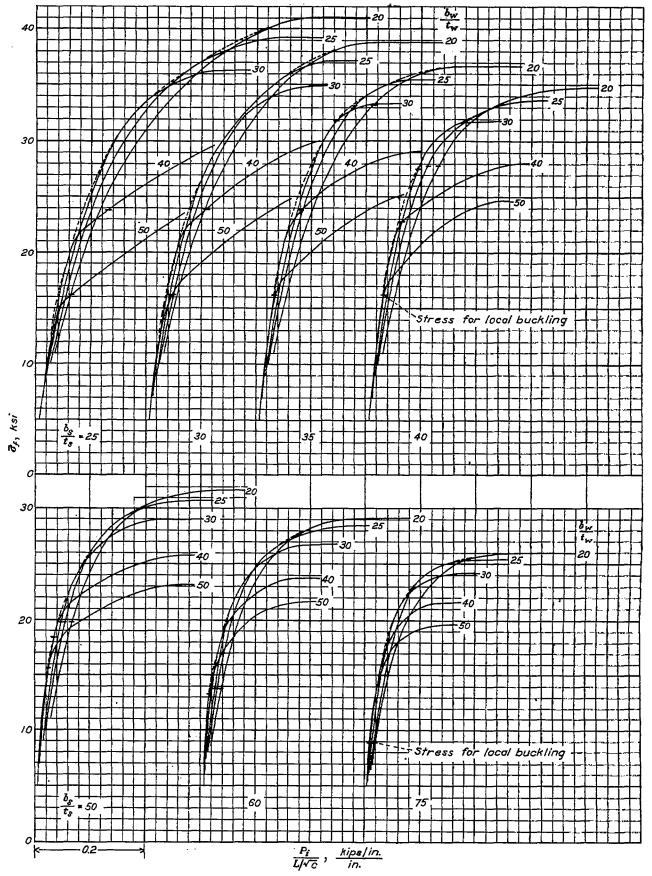


FIGURE 5.—Design chart for 24S-T aluminum-alloy flat panels with Z-section stiffeners;  $\frac{t_W}{t_S} = 1.00 \left( \frac{b_A}{t_W} = 8.6; \frac{r_A}{t_W} = 3; \frac{r_F}{t_W} = 4; \text{ and } \frac{b_F}{b_W} = 0.3 \text{ to } 0.5 \right)$ .

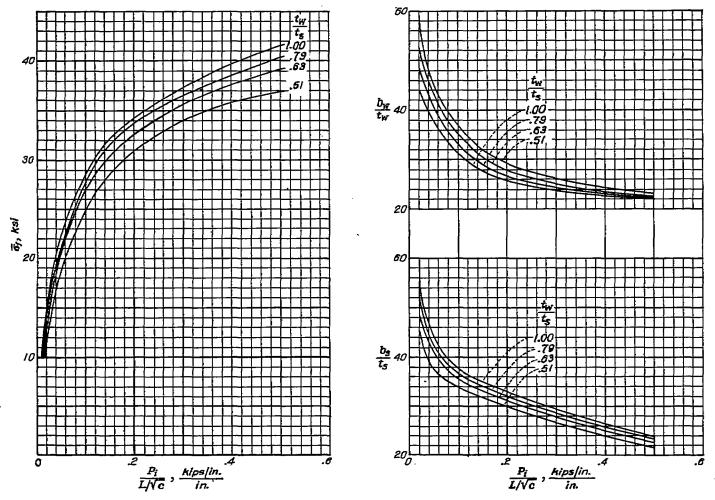


FIGURE 6.—Highest values of average stress at failure for 248-T aluminum-alloy flat panels with Z-section stiffeners, with values of bylts and bylts needed to realize these stresses.

#### USE OF DESIGN CHARTS AND EXAMPLES

If sheet material could be obtained in any desired thickness and if no special limitations were put on the design, it would be sufficient merely to find those proportions that would give the highest stress for the given value of  $\frac{P_t}{L/\sqrt{c}}$ . Because

certain limitations are usually imposed, however, the structure that represents the best compromise of all the requirements must be chosen.

The usual gages in which aluminum-alloy sheet is manufactured are such that if the four ratios of  $t_W/t_S$  in figures 2 to 6 are applied consecutively to a particular skin gage, the four stiffener gages that result will generally be consecutive standard gages. Interpolation between the curves of two consecutive charts (figs. 2 and 3, 3 and 4, etc.) is therefore unnecessary for most practical purposes.

The particular procedure to be used in obtaining a design from the charts will depend on the nature of the results desired. Three possible methods are discussed, and examples are given of designs obtained for a given load intensity and three different lengths by each of the methods.

The distinguishing features of each method are

#### Ideal design:

The method for obtaining the ideal design gives the lightest panel that could be obtained if the designer were not restricted to the use of standard sheet gages. The design is obtained by use of the over-all envelopes of figure 6 only.

#### Short method:

The short design method provides, without lengthy computation, a near approach to the lightest panel that can be obtained by use of standard sheet gages. The design is obtained by use of the envelopes for given values of  $b_s/t_s$  that appear as dashed lines in figures 2 to 5.

### Maximum efficiency:

The method of designing for maximum structural efficiency gives the lightest panel that can be obtained by use of standard sheet gages. The design is obtained through a complete study of the individual solid curves in figures 2 to 5. The method is somewhat lengthy; examples have been worked out by its use, however, to serve as a check on the short method, so that that method can be used with confidence.

Each of the three methods is given as a series of steps for reaching the final designs. In the method for obtaining the ideal design, the detailed computations for the four values of  $t_W/t_S$  included in figure 6 are given for L=10, 20, and 30 inches with  $P_i=3.0$  kips per inch and c=1. In the other two methods, the detailed computations are given only for L=20 inches and  $\frac{t_W}{t_S}=0.79$ , again with  $P_i=3.0$  kips per inch and c=1: final results are given, however, for the complete

and c=1; final results are given, however, for the complete set of examples considered in the discussion of the first method. It is assumed in all cases that a skin thickness of 0.064 inch is necessary in order to comply with other design requirements. A value of  $b_F/b_F$  of 0.4 is used throughout. In arriving at the final designs, no values of the dimension ratios outside of the ranges covered by the charts are given consideration.

Method for obtaining the ideal design.—The ideal-design method consists of picking from figure 6 the optimum proportions and the stress and computing from these the actual panel dimensions.

The values and computed quantities for the conditions previously mentioned are given in table 4 and are referenced to the steps in the following procedure:

(1) Compute 
$$\frac{P_i}{L/\sqrt{c}}$$
.

- (2) From the curves of figure 6 pick off for each value of  $t_W/t_S$  the values of  $b_S/t_S$ ,  $b_W/t_W$ , and  $\overline{\sigma}_f$  corresponding to the value of  $\frac{P_t}{L/\sqrt{c}}$ .
- (3) Pick from table 2 the values of  $A_t/t_s$  for the ratios determined in step 2. (If  $\frac{b_r}{b_w}$ =0.3 or 0.5 is used, table 1 or table 3, respectively, should be used instead of table 2.)

(4) Compute

$$t_{s} = \frac{P_{t}}{\overline{\sigma}_{f} \frac{A_{s}}{t_{s}}} -$$

This formula is based on the equality

(5) Compute

$$P_{\iota} = \overline{\sigma}_{f} A_{\iota}$$

$$t_{w} = \frac{t_{w}}{t_{s}} t_{s}$$

$$b_{s} = \frac{b_{s}}{t_{s}} t_{s}$$

$$b_{w} = \frac{b_{w}}{t_{s}} t_{w}$$

This procedure results in four designs for each length, corresponding to the four values of  $t_W/t_S$ , for the given conditions. (See table 4.) The values marked with footnote a in table 4 represent those chosen as approaching most closely the desired condition of  $t_S=0.064$  inch; these values therefore give an indication of the proportions needed in a practical design to meet the design requirements most efficiently.

The resulting designs are shown as the ideal designs at the tops of figures 7 to 9, along with bar graphs of the average stress at failure and the buckling stress. The buckling stress for each design was obtained by interpolation from the short horizontal lines for buckling in figures 2 to 5. In some cases in which failure is by column action, the buckling stress shown by figures 2 to 5 will be greater than the failure stress for the designs obtained. Whenever this difference occurred in the present examples, the buckling stress is shown equal to the failure stress.

Short method for obtaining a practical design.—The short method consists of picking the optimum value of  $b_{B'}/t_{B'}$  and the corresponding stress for each value of  $b_{S}/t_{B}$  from the individual envelopes of figures 2 to 5 and computing from these values the actual panel dimensions. Panel designs that employ standard sheet gages are then selected from the various designs obtained.

The values and computed quantities for L=20 inches and  $\frac{t_W}{t_S}=0.79$  are given in table 5 and are referenced to the steps in the following procedure:

- (1) Compute  $\frac{P_t}{L/\sqrt{c}}$ .
- (2) From the curves for a particular value of  $t_W/t_S$  (in this example, fig. 4 for  $\frac{t_W}{t_S} = 0.79$  is used) pick off for each value of  $b_S/t_S$  the values of  $b_W/t_W$  (by interpolation along the dashed envelope) and  $\overline{\sigma}_f$  (from the envelope) corresponding to the value of  $\frac{P_t}{L/\sqrt{c}}$ .
- (3) Pick from table 2 the values of  $A_t/t_s$  for the ratios determined in step 2.
  - (4) Compute

$$t_{s} = \frac{P_{t}}{\overline{\sigma}_{f} \frac{A_{t}}{t_{s}}}$$

- (5) Plot  $b_W/t_W$ ,  $t_S$ , and  $\overline{\sigma}_f$  against  $b_S/t_S$  for the particular value of  $t_W/t_S$ . (The plot for the example being considered is shown in fig. 10.) Tabulate the values of  $b_S/t_S$ ,  $b_W/t_W$ , and  $\overline{\sigma}_f$  corresponding to the point where  $t_S$  equals the specified value
- (6) Check computations by picking from table 2 the value of  $A_d/t_s$  corresponding to the ratios tabulated in step 5. If all computations and plots are correct,

$$P_i = \overline{\sigma}_f \frac{A_i}{t_s} t_s$$

(7) Compute

$$t_{W} = \frac{t_{W}}{t_{S}} t_{S}$$

$$b_{\mathcal{S}} = \frac{b_{\mathcal{S}}}{t_{\mathcal{S}}} \, t_{\mathcal{S}}$$

$$b_{W} = \frac{b_{W}}{t_{W}} t_{W}$$

(8) Repeat steps 2 to 7 for other values of  $t_W/t_S$ .

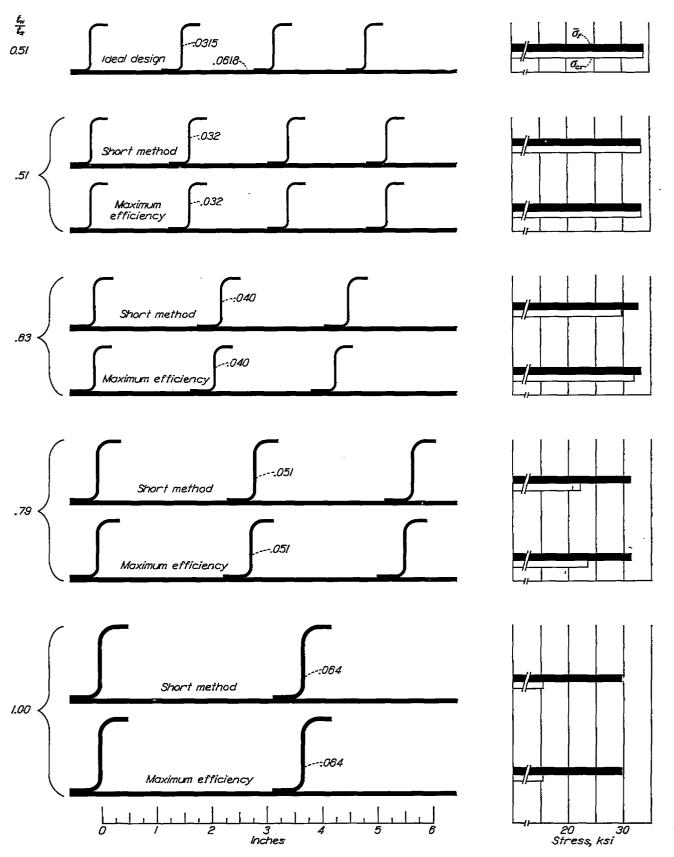


FIGURE 7.—Desgins of 24S-T alaminum-alloy panels 10 inches long with  $P_i=3.0$  kips per inch, c=1, and  $t_4=0.064$  inch.

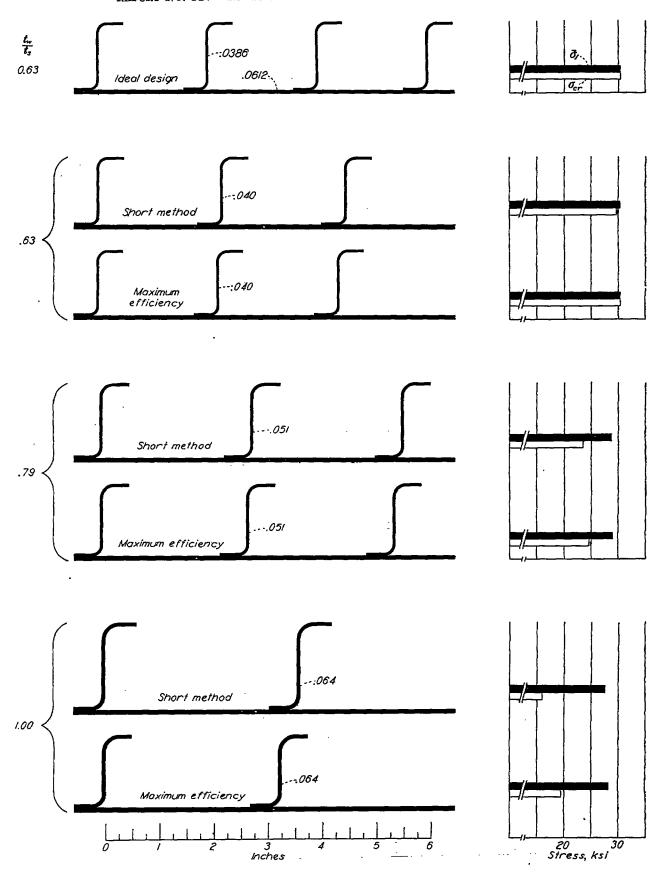


Figure 8.—Designs of 24S-T aluminum-alloy panels 20 inches long with  $P_i$ =3.0 kips per inch, c=1, and  $t_z$ =0.064 inch.

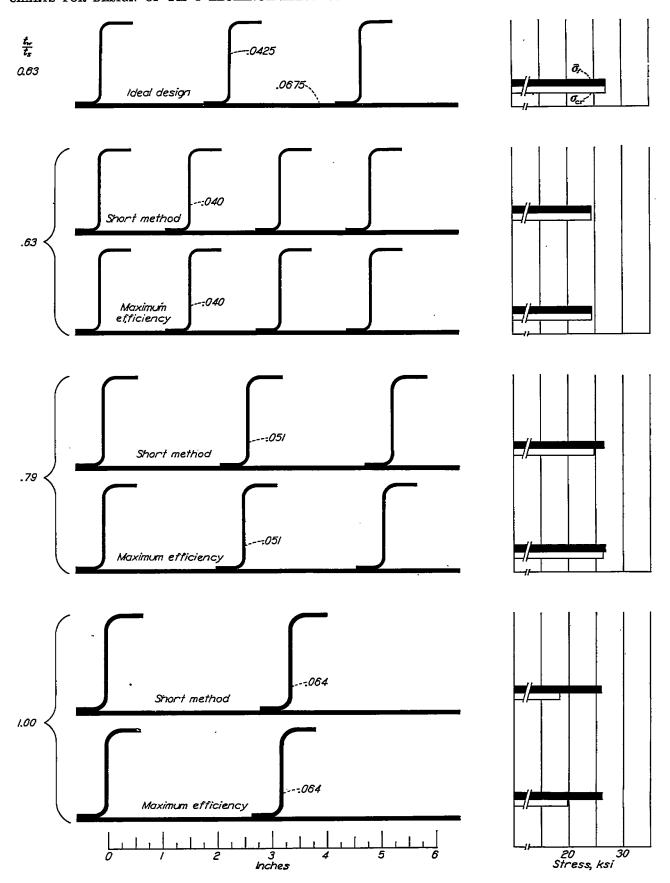


FIGURE 9.—Designs of 24S–T aluminum-alloy panels 30 inches long with  $P_i$ =3.0 kips per inch, c=1, and s=0.064 inch.

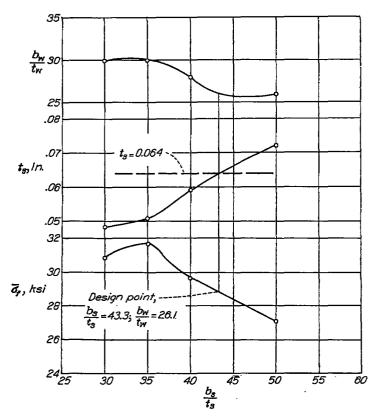


Figure 10.—Plot for obtaining practical design by short method. P<sub>i</sub>=3.0 klps per inch; L=20 inches;  $c=1; t_B=0.064$  inch;  $\frac{t_B}{t_B}=0.79$ .

Like that for the ideal design, this procedure results, for each length considered, in one design for each value of  $t_W/t_S$ . It may not always be possible to find satisfactory designs under the conditions imposed for all values of  $t_W/t_S$ . (Note that no designs are given in figs. 8 and 9 for  $t_W=0.51$ .) All the designs resulting from the use of the short method utilize standard sheet gages and meet the requirement that  $t_S=0.064$  inch. The choice of design now de-

method utilize standard sheet gages and meet the requirement that  $t_s$ =0.064 inch. The choice of design now depends on arriving at a suitable compromise between high stress and wide stiffener spacing. If the prevention of buckling under load is considered important, then the buckling stress must also be taken into account in making a choice.

The designs obtained by carrying out the foregoing procedure for the several values of L and  $t_w/t_s$  are shown as the short-method designs in figures 7 to 9 along with bar graphs of the average stress at failure and the buckling stress.

Method of designing for maximum structural efficiency.— The maximum-efficiency method consists of computing the thickness required as  $b_s/t_s$  is varied for each value of  $b_w/t_w$  and selecting the designs for which the skin gage is equal to that desired. The procedure results in a series of possible designs for each value of  $t_w/t_s$ , from which those designs that provide the highest average stress at failure can be selected.

The values and computed quantities for L=20 inches and  $\frac{t_w}{t_s}=0.79$  are given in table 6 and are referenced to the steps in the following procedure:

- (1) Compute  $\frac{P_i}{L/\sqrt{c}}$ .
- (2) From the curves for a particular value of  $t_W/t_S$  (in this example, fig. 4 for  $\frac{t_W}{t_S}$ =0.79 is used) pick off for each value of  $b_W/t_W$  and  $b_S/t_S$  the value of  $\overline{\sigma}_t$  corresponding to the value of  $\frac{P_t}{L/\sqrt{c}}$ .
- (3) Pick from table 2 the values of  $A_t/t_s$  corresponding to the ratios used in step 2.
  - (4) Compute

$$t_{8} = \frac{P_{i}}{\overline{\sigma}_{f}} \frac{A_{i}}{f_{a}}$$

- (5) Plot  $t_s$  and  $\overline{\sigma}_f$  against  $b_s/t_s$  for each value of  $b_w/t_w$  and  $t_w/t_s$ . Plot the particular value of  $b_w/t_w$  at the value of  $b_s/t_s$  for which  $t_s$  equals the specified value and mark the value of stress at that value of  $b_s/t_s$ . The plots of this step for the example under consideration are given in figure 11 as the short lines for the several values of  $b_w/t_w$  indicated. In order to avoid unnecessary confusion, only short portions of the curves, except the curve for  $\frac{b_w}{t_w}$ =20, are shown.
- (6) After step 5 has been completed for all the values of  $b_w/t_w$ , draw curves of stress and of  $b_w/t_w$  against  $b_s/t_s$  through the points determined in step 5 (heavy curves in fig. 11).

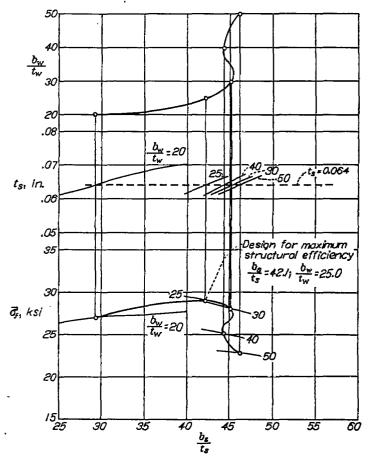


FIGURE 11.—Plot for obtaining design for maximum structural efficiency.  $P_i$ =3.0 kips per inch; L=20 inches; c=1;  $t_B$ =0.004 inch;  $\frac{t_B}{t_B}$ =0.79.

- (7) Each of the curves drawn in step 6 represents a series of designs, all of which have the required value of  $t_s$  (in this case, 0.064 in.). The maximum point on the curve of  $\overline{\sigma}_f$  indicates the design for maximum structural efficiency for the particular value of  $t_w/t_s$ . Note this maximum value of  $\overline{\sigma}_f$ , the value of  $b_s/t_s$  at which it is reached, and the value of  $b_w/t_w$ , which can be picked from the curve of  $b_w/t_w$  against  $b_s/t_s$ .
- (8) Check computations by picking from table 2 the value of  $A_s/t_s$  corresponding to the ratios selected for maximum structural efficiency in step 7. If all computations and plots are correct,

(9) Compute 
$$t_{w} = \frac{t_{w}}{t_{s}} t_{s}$$

$$t_{w} = \frac{t_{w}}{t_{s}} t_{s}$$

$$b_{s} = \frac{b_{s}}{t_{s}} t_{s}$$

$$b_{w} = \frac{b_{w}}{t_{w}} t_{w}$$

(10) Repeat steps 2 to 9 for other values of  $t_w/t_s$ .

This procedure results, for each length considered, in one design for each value of  $t_W/t_S$ . The choice of a design depends on arriving at a suitable compromise between high stress and wide stiffener spacing, with possible consideration for the buckling stress.

The designs obtained by carrying out the foregoing procedure for the several values of L and  $t_W/t_S$  are shown as the maximum-efficiency designs in figures 7 to 9 along with bar graphs of the average stress at failure and the buckling stress.

#### DISCUSSION

Figures 7 to 9 provide a visual comparison of the designs that result from use of the three methods presented. The short method of design gives in every case an average stress at failure very close to that obtained by designing on the basis of maximum structural efficiency; the buckling stress, however, is in some cases somewhat lower than that for the maximum-efficiency panel.

Whether the design obtained by the short method or the design for maximum efficiency is selected, the best design for  $P_t$ =3.0 kips per inch, on the basis of stress, is obtained at L=10 inches with  $\frac{t_w}{t_s}$ =0.51, at L=20 inches with  $\frac{t_w}{t_s}$ =0.63, and at L=30 inches with  $\frac{t_w}{t_s}$ =0.79. In figure 6, however, the highest envelope, which gives the lightest design, is that for  $\frac{t_w}{t_s}$ =1.00. This apparent contradiction results from the

fact that in working out the examples a skin thickness of 0.064 inch was specified. In order to reach the curve for  $\frac{t_W}{t_S}$ =1.00 (fig. 6), a study of table 4 shows that the skin thickness would have to be 0.034 inch at L=10 inches, 0.041 inch at 20 inches, and 0.046 inch at 30 inches. Moreover, the stiffener spacings for designs having such small skin thicknesses are very small. (See table 4.) Because of limitations on skin gages and stiffener spacings, therefore, it is frequently not possible to reach the envelope values of stress and hence the lowest possible weight.

Figures 7 to 9 show that the best panel (that with highest  $\overline{\sigma}_{t}$ ) obtained at each length by the maximum-efficiency method does not buckle until failure or very close to failure. The best panel designed by the short method, although it may not have quite so high an average stress at failure as the maximum-efficiency panel, also does not buckle until very close to failure. This condition has been found to hold true over a wide range of design requirements. It is therefore evident that over a wide range of conditions the maintenance of buckle-free surfaces does not conflict with the achievement of high structural efficiency. The simultaneous achievement of both these ends by use of 24S-T aluminum-alloy panels, however, apparently requires closer stiffener spacings than those now in common use. For example, the maximum-efficiency designs for  $P_t=3.0$  kips per inch and  $t_s = 0.064$  inch have the following spacings for the three lengths:

<i>L</i> (ln.)	bs ts	<b>ōs</b> (i.i.)
10	28. 0	1. 79
20	42. I	2.63
30	40. 0	2.56

#### CONCLUDING REMARKS

Charts are presented for the minimum-weight design of 24S-T aluminum-alloy flat compression panels with longitudinal Z-section stiffeners. From examples based on the use of these charts, it is concluded that, over a wide range of design conditions, the maintenance of buckle-free surfaces on longitudinally stiffened compression panels does not conflict with the achievement of high structural efficiency. The achievement of the maximum possible structural efficiency with 24S-T aluminum-alloy panels, however, requires closer stiffener spacings than those now in common use.

Langley Memorial Aeronautical Laboratory, National Advisory Committee for Aeronautics, Langley Field, Va., July 9, 1945.

#### APPENDIX

#### METHOD OF PREPARATION OF DESIGN CHARTS

Development of design parameter  $\frac{P_i}{L/\sqrt{c}}$ .—As stated in the Introduction, the average stress developed by a longitudinally stiffened compression panel is a direct measure of the structural efficiency of the panel. It is further brought out that a suitable design parameter against which this average stress may be plotted is  $\frac{P_i}{L/\sqrt{c}}$ , where  $P_i$  is the compressive load per inch of panel width, L is the panel length or distance between supporting ribs, and c is the coefficient of end fixity at the ribs.

The following derivation shows how the parameter  $\frac{P_t}{L/\sqrt{c}}$  evolves from the usual column formula:

The column formula may be written

$$\overline{\sigma}_c = \frac{\pi^2 \tau E_c}{\left(\frac{L}{\rho \sqrt{c}}\right)^2} \tag{A1}$$

Multiplication and division of the right-hand side of equation (A1) by  $P_i^2$  gives

$$\overline{\sigma}_{c} = \pi^{2} \tau E_{c} \left( \frac{\rho}{P_{i}} \right)^{2} \left( \frac{P_{i}}{L/\sqrt{c}} \right)^{2} \tag{A2}$$

If the stiffened panel is to have a strength just equal to that required by the design conditions,  $P_i = A_i \overline{\sigma}_c$  and equation (A2) may therefore be written

$$\overline{\sigma}_{e} = \pi^{2} \tau E_{c} \left(\frac{\rho}{A_{t}}\right)^{2} \left(\frac{P_{t}}{L/\sqrt{c}}\right)^{2} \left(\frac{1}{\overline{\sigma}_{c}}\right)^{2}$$

or

$$\frac{\overline{\sigma}_c^3}{\tau} = \pi^2 E_c \left(\frac{\rho}{A_i}\right)^2 \left(\frac{P_i}{L/\sqrt{c}}\right)^2$$

which may be written

$$\frac{\overline{\sigma}_c}{\sqrt[3]{\tau}} = \sqrt[3]{\pi^2 \overline{E}_c} \left(\frac{\rho}{A_t}\right)^{2/8} \left(\frac{P_t}{L/\sqrt{c}}\right)^{2/8} \tag{A3}$$

The quantity  $\sqrt[3]{\pi^2 E_e}$  in equation (A3) is fixed for a given material, as is the relationship between  $\overline{\sigma}_c$  and  $\tau$ , except for negligible shape effects. The quantity  $\frac{P_t}{L/\sqrt{c}}$  is the design parameter;  $\rho/A_t$  is dimensionless and is determined by the relative rather than the absolute dimensions of a panel. A plot of  $\overline{\sigma}_e$  against  $\frac{P_t}{L/\sqrt{c}}$  is therefore dependent on the ratios of the various panel dimensions and not on the absolute values of the dimensions.

Determination of average stress at local failure  $\overline{\sigma}_{max}$ .— From equation (A3), the best panel of a given material for any value of  $\frac{P_t}{L/\sqrt{c}}$  on the basis of column strength apparently is that panel which has the highest value of  $\rho/A_t$ . Changes in proportions that result in an increase in  $\rho/A_t$  will, however, generally cause a decrease in the local-failure strength of the panel. (Local failure as used herein includes the phenomenon of twisting, which is in reality only a form of local failure that occurs when the lateral bending stiffness of the outstanding stiffener flange is relatively small.) The optimum panel for a particular application is given by the compromise of column and local-failure strengths that gives the highest stress at the given value of  $\frac{P_t}{L/\sqrt{c}}$ 

The value of the average stress at local failure  $\overline{\sigma}_{max}$  is difficult to determine theoretically. Certain test data are available, however, from reference 2 and from additional tests completed since the publication of reference 2. Those data that were obtained from the shortest panels of each cross section are summarized in figure 12, in which  $\overline{\sigma}_{max}$  is plotted against  $t_W/b_W$  for various values of  $t_W/t_S$  and  $b_S/t_S$ . The ratio  $b_W/t_W$  has been inverted in this plot in order that the additional point  $\overline{\sigma}_{max}=0$  when  $b_W=0$  ( $b_W=\infty$ ) might be used to aid in fairing curves through the test points. The plots of figure 12 make possible an interpolation of  $\overline{\sigma}_{max}$  between test points for intermediate values of the ratio  $b_W/t_W$ . By plotting values of  $\overline{\sigma}_{max}$  picked from the curves of figure 12 against  $t_S/b_S$ , values of  $\overline{\sigma}_{max}$  were also determined

for intermediate values of  $b_s/t_s$ .

All the data shown in figure 12 are for a value of  $b_{\overline{k}}=0.4$ .

Test data for  $b_{\overline{k}}=0.3$  and 0.5, however, were also employed

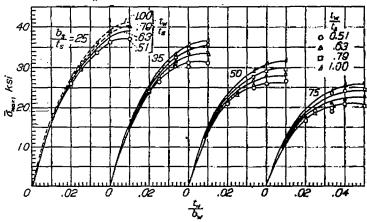


FIGURE 12.—Average stress at local failure for 24S-T aluminum-alloy flat compression panels with longitudinal Z-section stiffeners.  $\frac{b_F}{b_W}$ =0.4.

as a guide in fairing the curves, and the curves will be shown to be reasonably accurate for any value of  $b_F/b_W$  between 0.3 and 0.5.

Determination of stress for local buckling  $\sigma_{\sigma}$ .—If the panel did not buckle locally before failure, the theoretical results thus far presented, used in conjunction with values of  $\overline{\sigma}_{max}$ , would be sufficient to construct a design curve of  $\overline{\sigma}_{l}$  against  $\frac{P_t}{L/\sqrt{c}}$  for any panel. A typical curve for panels

that do not buckle before failure is shown in figure 13. Unless the width-thickness ratios of the various plate elements of the panel are small or the panel is relatively long, however, there will generally be some local buckling before failure. When this buckling takes place, the cross-sectional moment of inertia of the panel is reduced by the presence of ineffective areas; the original curve of column strength therefore no longer applies and the point at which buckling takes place must be connected with the line for local failure by means of a reduced curve. A typical curve, adjusted for the effects of local buckling, is shown in figure 14.

The foregoing discussion shows that it is necessary to know the stress at which buckling takes place. Data on buckling stresses from reference 2 plus additional data now available are therefore plotted in figure 15 for  $\frac{b_F}{b_W}$ =0.4. Because the measured value of b/t for the element (skin or stiffener web) that first showed buckling in a test panel was never in exact agreement with the specified nominal value, the observed buckling stresses from reference 2 were corrected for use in figure 15 according to the following formula:

$$(\sigma_{cr})_{corrected} = (\sigma_{cr})_{observed} \frac{\left(\frac{b}{t}\right)^2_{measured}}{\left(\frac{b}{t}\right)^2_{nominal}}$$

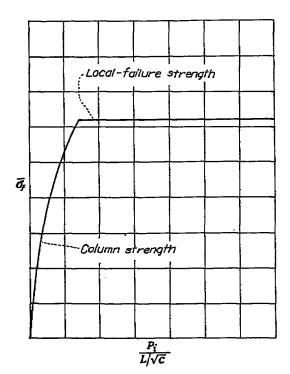


FIGURE 13.-Typical design curve for panels that do not buckle.

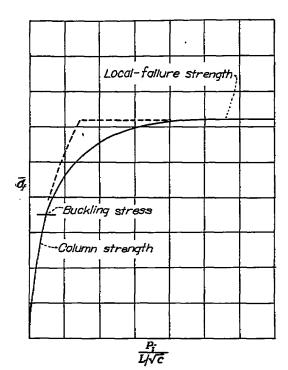


FIGURE 14.-Typical design curve for panels that buckle.

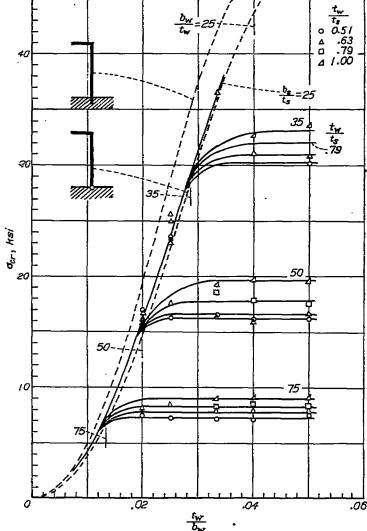


FIGURE 15.—Stress for local buckling of 24S-T aluminum-alloy flat panels with Z-section stiffeners,  $\frac{b_F}{b_F}$ =0.4.

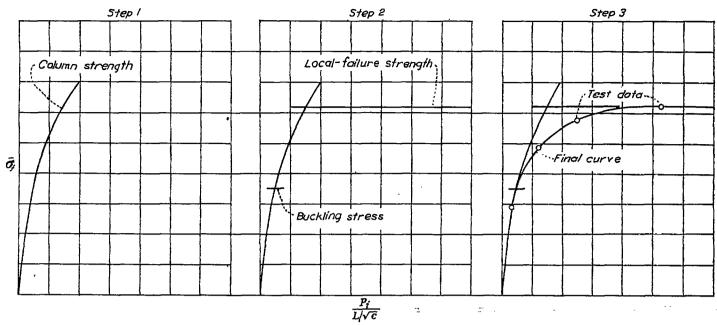


FIGURE 16.-Illustration of procedure used in preparation of design charts,

where the value of b/t is that for the web of the stiffener or for the skin between stiffeners, depending on which of these elements first gave evidence of buckling. This correction formula is based on the fact that, other factors being equal, the critical stress is inversely proportional to the square of the width-thickness ratio. No account is taken herein of the fact that this relationship is not entirely true for stresses beyond the elastic range; it is assumed that neglecting this fact will have no significant effect because the total correction is relatively small.

The method used in fairing curves through the test points in figure 15 is as follows:

For the horizontal portions of the curves on the right-hand side of figure 15, the skin is primarily responsible for the buckling; the ordinates for the curves in this region are determined by drawing average lines through the test points. As the value of  $t_W/b_W$  is reduced, however, the responsibility for the buckling shifts to the stiffeners and there is a reduction in  $\sigma_{cr}$ . In the absence of adequate test data for low values of  $t_W/b_W$ , certain theoretical considerations are used for determining the values of  $\sigma_{cr}$  in this region.

It is possible to describe certain limiting conditions that determine curves between which the correct curves must lie. As the value of  $t_W/b_W$  approaches zero, with all other dimension ratios held constant, the skin tends to become infinitely stiff by comparison with the stiffener and the stiffener approaches a condition of complete fixity at the edge where it is attached to the skin. This condition of complete fixity represents the upper limit of buckling stress. The value of k, the coefficient in the formula for local-buckling stress (reference 4), when applied to the stiffener web may be taken for this condition as the geometric mean of the value of k for the web of a Z-section column with  $\frac{b_F}{b_W}$ =0.4 (about 3.77, see reference 4) and the value of k for a flat plate fixed at both edges (about 6.98, see reference 5). This value of k is  $\sqrt{3.77\times6.98}$ , or 5.13. The upper dashed curve in figure 15

gives  $\sigma_{cr}$  for k=5.13. The use of the geometric mean of values of k to obtain the critical stress for a plate with different restraints along the two unloaded edges is discussed and justified for practical use in reference 5.

When  $\frac{b_W}{t_W} = \frac{b_S}{t_S}$ , it is a reasonable and probably conservative assumption to consider the stiffener hinged at the edge where it is attached to the skin. This hinged condition represents the lower limit of buckling stress. The value of k for the web of the stiffener may be taken for this condition as the geometric mean of 3.77 for the simple Z-section and the value for a flat plate hinged at both edges (4.00, see reference 5) or  $k=\sqrt{3.77\times4.00}=3.88$ . The lower dashed curve in figure 15 gives  $\sigma_{cr}$  for k=3.88. In the preparation of the two dashed curves, the effect of reduction in the modulus of elasticity for stresses beyond the elastic range was determined from results of tests of 24S-T aluminum-alloy columns of Z-, channel, and H-section that develop local instability.

The solid curve on the left-hand side of figure 15 is drawn in to give a gradual transition from the lower dashed curve in the region where  $\frac{b_w}{t_w} = \frac{b_s}{t_s}$  toward the upper dashed curve as  $t_w/b_w$  approaches zero. In the region where  $\frac{b_w}{t_w} = \frac{b_s}{t_s}$  the curves are faired into the horizontal lines drawn through the test points. A single curve was considered sufficient for all values of  $t_w/t_s$  for the left-hand portion of figure 15, because the few test points that were available in this region indicated that the individual curves would be so close together as to be almost indistinguishable.

The curves of figure 15, like those of figure 12, were cross-plotted to give buckling stresses for the intermediate values of  $b_{\rm S}/t_{\rm S}$  that appear in figures 2 to 5.

Preparation of final curves.—The procedure used in the preparation of the final curves of figures 2 to 5 is illustrated in figure 16. An outline of this procedure is as follows:

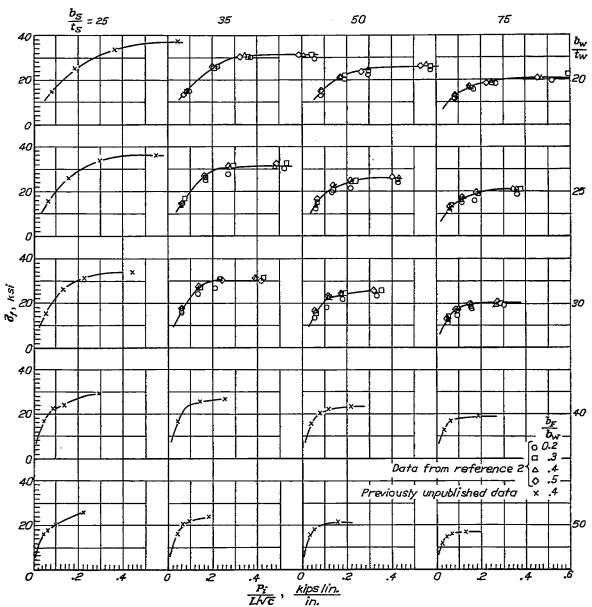


FIGURE 17.—Comparison of test data with design curves for 24S-T aluminum-alloy flat panels with Z-section stiffeners.  $\frac{t_{\pi}}{t_{S}}$ =0.51.

- (1) Draw curve for column strength corresponding to the value of  $\rho/A_i$  for the panel cross section. For the curves of this report, the column curve for 24S-T aluminum alloy was obtained from equations (5) and (6) and table I, all of reference 6.
- (2) Plot the values of stress for local buckling and for local failure of panel obtained from the cross plots of the curves in figures 12 and 15.
- (3) Plot available test data and fair curves between buckling stress and local-failure stress. This fairing was done first for those curves for which test data were available; the remaining curves were then faired in a manner consistent with the curves already established.

In a few cases (low  $b_S/t_S$  with high  $b_W/t_W$ ) the test data indicated that the curves did not follow the smooth transition between column and local failure indicated by figure 16. Instead the curves tended to bend over sharply, in some cases even below the buckling stress given by figure 15, and to follow very nearly a straight line up to the average stress for local failure. No explanation is offered for this phenom-

enon; the available test data were used as the sole guide for fairing the curves in these cases.

Correlation between design curves and test data.—The test data of reference 2 as well as the additional data made available since the publication of reference 2 are plotted against the parameter  $\frac{P_i}{L/\sqrt{c}}$  in figures 17 to 20. Appropriate curves taken from figures 2 to 5 are also drawn in these figures and good agreement between the final design curves and the test data for  $\frac{b_F}{b_W}$ =0.4 exists throughout the range of the data. In order to make it possible, if desired, to check the correlation on a larger-scale plot, the test data for  $\frac{b_F}{b_W}$ =0.3, 0.4,

and 0.5 are given in table 7 in a form suitable for plotting directly on the design charts (figs. 2 to 5). Table 7 and figures 17 to 20 also make it possible to determine in which regions the design charts are substantiated by test data and in which regions they were obtained by interpolation or extrapolation.

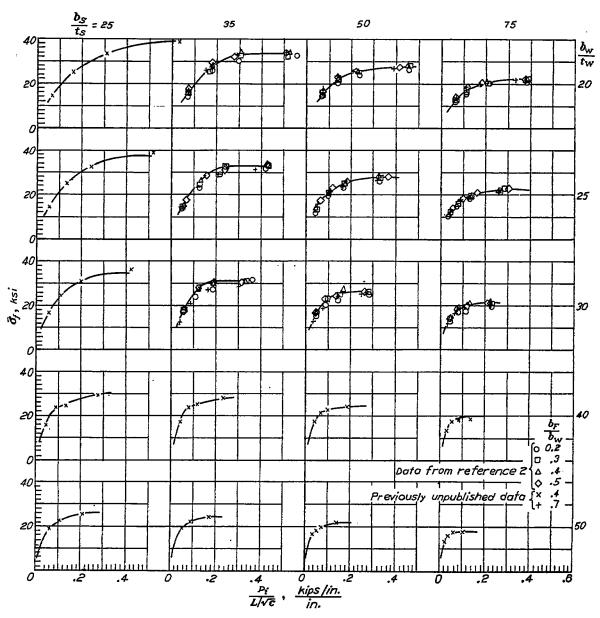


FIGURE 18.—Comparison of test data with design curves for 24S-T aluminum-alloy flat panels with Z-section stiffeners.  $\frac{t\pi}{t_s}$ =0.63.

Figures 17 to 20 indicate that there would be little difference in the curves for  $\frac{b_F}{b_W}$ =0.3, 0.4, and 0.5 but that the curves for  $\frac{b_F}{b_W}$ =0.2 and probably 0.7 would be lower than those for  $\frac{b_F}{b_W}$ =0.4. The most efficient use of material will therefore be realized if a value of  $b_F/b_W$  between 0.3 and 0.5 is used. It is for this range that the design charts are intended to be used, although they are based on the specific data for  $\frac{b_F}{b_W}$ =0.4

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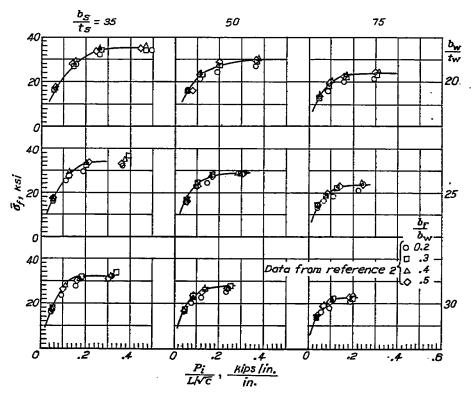


FIGURE 19.—Comparison of test data with design curves for 24S-T aluminum-alloy flat panels with Z-section stiffeners.  $\frac{t_w}{t_s}$ =0.79.

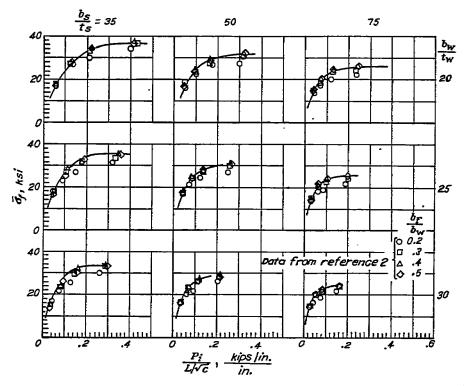


FIGURE 20.—Comparison of test data with design curves for 24S–T aluminum-alloy flat panels with Z-section stiffeners.  $\frac{t_w}{t_s}$ =1.00.

TABLE 1 VALUES OF  $A_i/t_s$  FOR FLAT PANELS WITH Z-SECTION STIFFENERS.  $\frac{b_F}{b_W} = 0.3$ .  $\left[ \frac{A_i}{t_s} - 1 + \frac{b_W}{t_w} \left( 1 + \frac{b_F}{b_W} \right) + \frac{b_A}{t_w} \left( 2 - \frac{\tau}{2} \right) \left( \frac{r_A}{t_w} + \frac{r_F}{t_w} + 1 \right)}{b_S/t_s} \left( \frac{t_W}{t_s} \right)^2 \right]$ 

bu/liv	20	21	22	23	24	25	26	27	28	29	30	32	34	36	38	40	42	44	46	48	50
b <sub>A</sub> /ts									$\frac{tw}{ts}$	0.51	! :	_		•	•						L <u>.</u>
25	1. 353	1. 367	1. 380	1. 304	1. 407	1. 421	1. 435	1. 448	1. 462	1. 475	1. 489	1. 516	1. 543	1. 570	1. 597	1. 624	1. 051	1. 678	1. 705	1. 732	1. 759
26	L. 340	1. 358	1. 306	1. 379	1. 392	1. 405	1. 448	1. 431	1. 444	1. 457	1. 470	1. 496	1. 522	1. 548	1. 574	1. 600	1. 026	1. 652	1. 678	1. 704	1. 730
27	1. 827	1. 340	1. 352	1. 365	1. 877	1. 390	1. 402	1. 415	1. 427	1. 440	1. 452	1. 477	1. 502	1. 528	1. 553	1. 578	1. 003	1. 628	1. 653	1. 078	1. 703
28	1. 316	1. 328	1. 340	1. 352	1. 364	1. 376	1. 388	1. 400	1. 412	1. 424	1. 436	1. 460	1. 485	1. 509	1. 533	1. 557	1. 581	1. 605	1. 629	1. 054	1. 678
29	1. 305	1. 316	1. 328	1. 340	1. 351	1. 363	1. 375	1. 386	1. 398	1. 410	1. 421	1. 445	1. 468	1. 491	1. 514	1. 538	1. 561	1. 584	1. 608	1. 031	1. 654
30	1. 294	1. 306	1. 317	1. 328	1. 340	1. 351	1. 362	1. 373	1. 385	1. 396	1. 407	1. 430	1. 452	1. 475	1. 497	1. 520	1. 542	1. 565	1. 587	1. 610	1. 638
31	1. 285	1. 296	1. 307	1. 318	1.329	1. 340	1. 350	1. 361	1. 872	1.383	1.394	1.416	1. 438	1. 459	1.451	1. 503	1.525	1. 547	1.569	1. 500	1. 612
32	1. 278	1. 287	1. 297	1. 308	1.318	1. 329	1. 339	1. 350	1. 361	1.371	1.382	1.403	1. 424	1. 445	1.466	1. 487	1.509	1. 530	1.551	1. 572	1. 503
33	1. 208	1. 278	1. 288	1. 298	1.309	1. 319	1. 329	1. 339	1. 350	1.360	1.370	1.391	1. 411	1. 432	1.452	1. 473	1.493	1. 514	1.534	1. 555	1. 576
34	1. 260	1. 270	1. 280	1. 290	1.300	1. 310	1. 320	1. 329	1. 339	1.349	1.359	1.379	1. 399	1. 419	1.439	1. 459	1.479	1. 498	1.518	1. 538	1. 558
35	1. 252	1. 262	1. 272	1. 281	1.291	1. 301	1. 310	1. 320	1. 330	1.339	1.349	1.368	1. 388	1. 407	1.426	1. 446	1.465	1. 484	1.504	1. 528	1. 542
36	1. 245	1. 255	1. 264	1. 274	1. 283	1. 292	L 302	1. 311	1. 321	1. 330	1. 339	1.358	1. 377	1. 396	1.414	1. 433	1.452	1.471	1.490	1. 508	1.527
37	1. 239	1. 248	1. 257	1. 266	1. 275	1. 284	L 294	1. 308	1. 312	1. 321	1. 330	1.348	1. 367	1. 385	1.403	1. 422	1.440	1.458	1.476	1. 495	1.513
38	1. 232	1. 241	1. 250	1. 259	1. 268	1. 277	L 286	1. 295	1. 304	1. 318	1. 321	1.339	1. 357	1. 375	1.393	1. 410	1.428	1.416	1.404	1. 482	1.409
39	1. 227	1. 235	1. 244	1. 253	1. 261	1. 270	L 279	1. 287	1. 296	1. 305	1. 313	1.331	1. 348	1. 365	1.383	1. 400	1.417	1.435	1.452	1. 469	1.487
40	1. 221	1. 229	1. 238	1. 246	1. 255	1. 268	L 272	1. 280	1. 288	1. 297	1. 305	1.322	1. 339	1. 356	1.373	1. 390	1.407	1.424	1.441	1. 458	1.474
42	1.210	1. 218	1. 226	1. 234	1. 243	1. 251	1. 259	1. 267	1.275	1.283	1. 291	1.307	1. 323	1.339	1.855	1. 371	1. 387	1. 404	1. 420	1.436	1. 452
44	1.201	1. 208	1. 216	1. 224	1. 232	1. 239	1. 247	1. 256	1.262	1.270	1. 278	1.293	1. 308	1.324	1.339	1. 354	1. 370	1. 385	1. 401	1.416	1. 431
46	1.192	1. 199	1. 207	1. 214	1. 221	1. 229	1. 236	1. 244	1.251	1.258	1. 206	1.280	1. 295	1.310	1.824	1. 339	1. 354	1. 368	1. 383	1.398	1. 412
48	1.184	1. 191	1. 108	1. 205	1. 212	1. 219	1. 226	1. 233	1.240	1.247	1. 254	1.269	1. 283	1.297	1.811	1. 325	1. 339	1. 358	1. 367	1.381	1. 395
50	1.177	1. 183	1. 190	1. 197	1. 204	1. 211	1. 217	1. 224	1.231	1.288	1. 244	1.258	1. 271	1.285	1.208	1. 312	1. 325	1. 339	1. 353	1.366	1. 380
52	1. 170	1. 178	L. 183	1. 189	1. 196	1. 202	1. 209	1. 215	1. 222	1. 228	1. 235	1. 248	1. 261	1. 274	I. 287	1.300	1.313	1. 326	1.339	1.352	1.365
54	1. 164	1. 170	L. 176	1. 182	1. 189	1. 195	1. 201	1. 207	1. 214	1. 220	1. 226	1. 239	1. 251	1. 284	L. 276	1.289	1.301	1. 314	1.326	1.339	1.351
56	1. 168	1. 164	1. 170	1. 170	1. 182	1. 188	1. 194	1. 200	1. 206	1. 212	1. 218	1. 230	1. 242	1. 254	L. 260	1.279	1.291	1. 303	1.315	1.327	1.339
58	1. 162	1. 158	1. 164	1. 170	1. 176	1. 181	1. 187	1. 193	1. 199	1. 205	1. 211	1. 222	1. 234	1. 246	I. 257	1.269	1.281	1. 292	1.304	1.816	1.827
00	1. 147	1. 158	L. 159	1. 164	1. 170	1. 175	1. 181	1. 187	1. 192	1. 198	1. 204	1. 215	1. 226	1. 237	L. 249	1.260	1.271	1. 282	1.294	1.305	1.310
65	1. 136	1. 141	1. 146	1. 152	1. 157	1. 162	1. 167	1. 172	1. 178	1. 183	1. 188	1. 198	1. 209	1. 219	1. 230	1. 240	1. 250	1. 261	1. 271	1, 282	1. 292
70	1. 126	1. 131	1. 136	1. 141	1. 146	1. 150	1. 155	1. 160	1. 165	1. 170	1. 175	1. 184	1. 194	1. 203	1. 213	1. 223	1. 232	1. 242	1. 252	1, 261	1. 271
75	1. 118	1. 122	1. 127	1. 131	1. 136	1. 140	1. 145	1. 149	1. 154	1. 158	1. 163	1. 172	1. 181	1. 190	1. 199	1. 208	1. 217	2. 226	1. 235	1, 241	1. 253
									$\frac{tw}{t_B}$	0.63											
25	1. 531	1. 552	1. 573	1. 593	1. 614	1. 635	1. 655	1. 676	1.696	1.717	1. 738	1. 779	1.820	1. 862	1. 903	1. 944	L 985	2. 027	2.068	2. 109	2. 151
26	1. 511	1. 531	1. 551	1. 570	1. 590	1. 610	1. 630	1. 650	1.670	1.690	1. 709	1. 749	1.789	1. 828	1. 868	1. 908	1. 948	1. 987	2.027	2.067	9. 105
27	1. 492	1. 511	1. 530	1. 549	1. 588	1. 588	1. 607	1. 626	1.645	1.664	1. 683	1. 721	1.760	1. 798	1. 836	1. 874	1. 912	1. 951	1.989	2.027	2. 005
28	1. 474	1. 493	1. 511	1. 530	1. 548	1. 567	1. 585	1. 608	1.622	1.640	1. 659	1. 696	1.732	1. 769	1. 806	1. 843	1. 880	1. 917	1.954	1. 920	2. 027
29	1. 458	1. 476	1. 494	1. 511	1. 529	1. 547	1. 565	1. 583	1.600	1.618	1. 636	1. 672	1.707	1. 743	1. 778	1. 814	1. 849	1. 885	1.921	1. 956	1. 092
30	1. 448	1. 460	1. 477	1. 494	1. 512	1. 529	1. 546	1. 563	1.580	1.598	1. 615	1. 649	1.684	1. 718	1. 752	1. 787	1. 821	1. 856	1.890	1. 924	1. 059
31	1. 428	L 445	1. 462	1. 478	1. 495	L. 512	1. 528	1. 545	1. 562	1. 578	1. 595	1. 628	1. 662	1. 695	1. 728	1. 761	1. 795	1. 828	1.861	1.895	1, 928
32	1. 415	L 431	1. 447	1. 463	1. 480	I. 496	1. 512	1. 518	1. 544	1. 580	1. 576	1. 609	1. 641	1. 673	1. 705	1. 738	1. 770	1. 802	1.834	1.867	1, 599
33	1. 403	L 418	1. 484	1. 449	1. 465	I. 481	1. 496	1. 512	1. 528	1. 543	1. 559	1. 590	1. 621	1. 653	1. 684	1. 718	1. 747	1. 778	1.809	1.840	1, 872
34	1. 391	1. 406	1. 421	1. 436	1. 451	L. 467	1. 482	1. 497	1. 512	1. 527	1. 542	1. 573	1. 603	1. 634	1. 664	1. 694	1. 725	1. 756	1.785	1.810	1, 816
35	1. 380	1. 394	1. 409	1. 424	1. 438	L. 453	1. 468	1. 488	1. 497	1. 512	1. 527	1. 556	1. 586	1. 615	1. 645	1. 674	1. 704	1. 738	1.763	1.792	1, 822
36	1. 369	1. 388	1. 398	1. 412	1. 420	1. 441	1. 455	1. 469	1. 484	1. 498	1. 512	1. 541	1. 570	1. 598	1. 027	1. 656	1. 684	1. 718	1. 742	1, 770	1. 799
37	1. 359	1. 373	1. 387	1. 401	1. 415	1. 429	1. 443	1. 457	1. 471	1. 485	1. 498	1. 526	1. 554	1. 582	1. 610	1. 638	1. 668	1. 694	1. 722	1, 749	1. 777
38	1. 350	1. 363	1. 377	1. 390	1. 404	1. 417	1. 431	1. 445	1. 458	1. 472	1. 485	1. 513	1. 540	1. 567	1. 594	1. 621	1. 648	1. 675	1. 703	1, 730	1. 757
39	1. 341	1. 354	1. 367	1. 380	1. 394	1. 407	1. 420	1. 433	1. 448	1. 460	1. 473	1. 499	1. 526	1. 552	1. 579	1. 605	1. 632	1. 658	1. 685	1, 711	1. 738
40	1. 332	1. 345	1. 358	1. 371	1. 384	1. 397	1. 409	1. 422	1. 435	1. 448	1. 461	1. 487	1. 513	1. 538	1. 564	1. 500	1. 616	1. 642	1. 667	1, 093	1. 719
42	1. 316	1. 329	1. 341	1. 353	1. 365	1. 378	1. 390	1. 402	1.415	1. 427	1. 439	1. 464	1. 488	1. 512	1. 537	1. 562	1. 587	1. 611	1. 636	1, 600	1. 688
44	1. 302	1. 314	1. 325	1. 337	1. 349	1. 361	1. 372	1. 384	1.396	1. 407	1. 419	1. 443	1. 466	1. 490	1. 513	1. 536	1. 500	1. 558	1. 607	1, 630	1. 654
46	1. 289	1. 300	1. 311	1. 322	1. 834	1. 345	1. 356	1. 367	1.879	1. 390	1. 401	1. 428	1. 448	1. 468	1. 491	1. 513	1. 536	1. 558	1. 880	1, 603	1. 625
48	1. 277	1. 287	1. 298	1. 309	1. 320	1. 330	1. 341	1. 352	1.368	1. 373	1. 384	1. 406	1. 427	1. 449	1. 470	1. 492	1. 518	1. 535	1. 556	1, 878	1. 599
50	1. 266	1. 276	1. 286	1. 297	1. 307	1. 317	1. 328	1. 338	1.348	1. 359	1. 369	1. 390	1. 410	1. 431	1. 451	1. 472	1. 493	1. 518	1. 534	1, 555	1. 578
52	1. 255	1. 265	1. 275	1. 285	1. 295	1. 305	1. 315	1. 325	1. 335	1. 345	1. 355	1. 375	1. 394	1. 414	1. 434	1. 454	L. 474	1. 494	1. 513	1. 533	1. 538
54	1. 246	1. 256	1. 265	1. 275	1. 284	1. 294	1. 303	1. 313	1. 322	1. 332	1. 342	1. 381	1. 380	1. 399	1. 418	1. 437	1. 456	1. 476	1. 494	1. 514	1. 538
56	1. 287	1. 246	1. 256	1. 265	1. 274	1. 283	1. 292	1. 302	1. 311	1. 320	1. 329	1. 348	1. 368	1. 385	1. 403	1. 421	1. 440	1. 458	1. 477	1. 495	1. 514
58	1. 229	1. 288	1. 247	1. 256	1. 265	1. 273	1. 282	1. 291	1. 300	1. 309	1. 318	1. 336	1. 354	1. 371	1. 389	1. 407	1. 425	1. 443	1. 400	1. 476	1. 495
60	1. 221	1. 230	1. 239	1. 247	1. 256	1. 204	1. 273	1. 282	1. 200	1. 299	1. 307	1. 325	1. 342	1. 359	1. 376	1. 393	1. 411	1. 428	1. 445	1. 162	1. 479
65	1. 204	1. 212	1. 220	1. 228	1. 236	1. 244	1. 252	1. 260	1. 268	1. 276	1. 284	1. 300	1. 316	1. 331	1. 347	1. 363	1. 379	1. 395	1. 411	1. 427	1.443
70	1. 190	1. 197	1. 205	1. 212	1. 219	1. 227	1. 234	1. 241	1. 249	1. 256	1. 263	1. 278	1. 293	1. 308	1. 322	1. 337	1. 352	1. 367	1. 381	1. 396	1.411
78	1. 177	1. 184	1. 191	1. 198	1. 205	1. 212	1. 218	1. 225	1. 232	1. 239	1. 246	1. 260	1. 273	1. 287	1. 301	1. 315	1. 328	1. 342	1. 356	1. <b>870</b>	1.384

TABLE 1—Concluded  ${\rm VALUES~OF~A_d/t_8~FOR~FLAT~PANELS~WITH~Z\text{-}SECTION~STIFFENERS.} \quad \frac{b_F}{b_W} {\rm = 0.3-Concluded.}$ 

bs/ta	δ <sub>W</sub> /tw	20	21	22	23	24	25	26	27	28	29	30	82	34	36	38	40	42	44	46	48	50
										tw_ts	0.79		'					-	-		-	
	25															2.651 2.590 2.533 2.480	2, 782 2, 713 2, 650 2, 590 2, 536 2, 485					
	32 33	1.631 1.612	L 657 L 637	1.682 1.661	1.707 1.686	1.733 1.710	L 758 L 735	L 783 L 760	1.809 1.784	1.834 1.809	1.887 1.859 1.833 1.809 1.786	1.913 1.885 1.858 1.833 1.809	L 935 L 907	L 936 : L 956	2.037 2.006	2.088 2.055	2.138 2.104	2. 189 2. 153	2. 210 2. 202	2. 290 2. 251	2.341 2.301	2.437 2.392 2.350 1.310 2.273
	36 37 38 39 40	1. 561 1. 546 1. 532 1. 518 1. 505	1. 584 1. 568 1. 553 1. 539 1. 525	1.606 1.590 1.574 1.560 1.546	1 629 1 612 1 596 1 580 1 566	1. 651 1. 634 1. 617 1. 601 1. 586	1. 674 1. 656 1. 638 1. 622 1. 606	1. 696 1. 677 1. 660 1. 643 1. 627	1. 719 1. 699 1. 681 1. 684 1. 647	1.741 1.721 1.702 1.684 1.687	1. 764 1. 743 1. 724 1. 705 1. 688	1.786 1.765 1.745 1.726 1.708	L 832 L 809 L 788 L 768 L 748	L 877 L 853 L 830 L 809 L 789	1. 922 1. 897 1. 873 1. 851 1. 830	1.987 1.941 1.916 1.892 1.870	2.012 1.984 1.959 1.934 1.911	2.057 2.028 2.001 1.976 1.951	2 102 2 072 2 044 2 017 1 992	2.147 2.116 2.087 2.059 2.032	2. 192 2. 160 2. 129 2. 100 2. 073	1. 237 2. 204 2. 172 2. 142 2. 114
	42 44 46 48 50	1. 481 1. 459 1. 439 1. 421 1. 404	1.500 1.478 1.457 1.438 1.420	1. 520 L. 496 L. 474 L. 455 L. 436	1. 539 1. 514 1. 492 1. 472 1. 453	1.558 1.533 1.510 1.488 1.469	1. 578 1. 551 1. 527 1. 505 1. 485	1.597 1.570 1.545 1.522 1.501	L 616 L 588 L 563 L 539 L 518	1.635 L 607 L 580 L 556 L 534	1. 655 1. 625 1. 598 1. 573 1. 550	1.674 1.643 1.615 1.590 1.566	1.713 1.680 1.651 1.624 1.599	1.751 1.717 1.686 1.657 1.631	1.790 1.754 1.721 1.691 1.664	1.829 1.791 1.757 1.725 1.696	1. 967 1. 828 1. 792 1. 759 L. 729	1.906 1.865 1.827 1.793 1.761	1. 945 1. 902 1. 862 1. 826 1. 793	1.983 1.938 1.898 1.860 1.826	2.022 1.975 1.933 1.894 1.858	2.060 2.012 1.968 1.928 1.891
	52 54 56 58 60	1.388 1.374 1.361 1.348 1.337	1. 404 1. 389 1. 375 1. 382 1. 350	L 420 L 404 L 390 L 376 L 364	1. 435 1. 419 1. 404 1. 390 1. 377	1. 451 1. 434 1. 419 1. 404 1. 391	L 468 L 449 L 433 L 418 L 404	1. 482 1. 464 1. 448 1. 432 1. 418	1. 498 1. 479 1. 462 1. 446 1. 431	L 513 L 494 L 477 L 460 L 445	L 529 L 509 L 491 L 474 L 458	1.544 1.524 1.506 1.488 1.472	1. 576 1. 554 1. 535 1. 516 1. 499	1. 607 1. 584 1. 564 1. 544 1. 526	1. 638 1. 614 1. 593 1. 572 1. 553	1. 669 1. 645 1. 621 1. 600 1. 580	1.700 1.675 1.650 1.628 1.607	1.732 1.705 1.679 1.656 1.634	1.763 1.735 1.708 1.684 1.661	1.794 1.765 1.737 1.712 1.683	1.825 1.795 1.766 1.740 1.715	1.857 1.825 1.795 1.768 1.742
	65 70 75	1.311 1.289 1.289	L 323 L 300 L 280	1. 336 1. 312 1. 291	1.348 1.323 1.302	1.361 1.335 1.313	1. 373 1. 347 L 323	1. 386 1. 358 1. 334	1.399 1.870 1.345	1. 411 1. 381 1. 355	1. 423 1. 393 1. 367	1. 436 1. 404 1. 377	1.461 1.428 1.399	1.486 1.451 1.421	1. 510 1. 474 1. 442	1. 535 1. 497 1. 464	L 560 1. 520 1. 488	1. 585 1. 544 1. 507	1. 610 1. 567 1. 529	1. 635 1. 590 1. 551	1.650 1.613 1.572	1.685 1.636 1.594
										tw ts	-1.00											
	25 26 27 28 29 30	2. 247 2. 199 2. 154 2. 113 2. 075 2. 039	2. 299 2. 249 2. 202 2. 160 2. 120 2. 082	2.351 2.299 2.251 2.206 2.164 2.126	2.403 2.349 2.299 2.252 2.209 2.169	2.455 2.399 2.347 2.299 2.254 2.212	2.506 2.419 2.395 2.345 2.299 2.256	2 559 2 499 2 443 2 392 2 344 2 299	2 611 2 549 2 491 2 438 2 389 2 342	2.663 2.599 2.540 2.485 2.433 2.386	2, 715 2, 649 2, 588 2, 531 2, 478 2, 429	2.787 2.699 2.636 2.577 2.523 2.472	2.871 2.799 2.732 2.670 2.613 2.559	2,975 2,899 2,828 2,763 2,702 2,646	3. 079 2. 999 2. 925 2. 856 2. 792 2. 732	3. 183 3. 099 3. 021 2. 949 2. 852 2. 819	3. 287 3. 199 3. 117 3. 042 2. 971 2. 906	3. 291 3. 299 3. 214 3. 135 3. 061 2. 992	3. 495 3. 399 3. 310 3. 227 3. 151 3. 079	3, 599 3, 499 3, 406 3, 320 3, 240 3, 166	3. 703 3. 599 8. 502 3. 413 3. 330 3. 252	3.807 3.699 3.599 3.506 3.420 3.339
	31 32 33 34 35	2.005 1.974 1.944 1.917 1.890	2.047 2.015 1.984 1.955 1.928	2.089 2.055 2.023 1.993 1.965	2.131 2.096 2.063 2.031 2.002	2. 173 2. 136 2. 102 2. 070 2. 039	2.215 2.177 2.141 2.078 2.076	2.257 2.218 2.181 2.146 2.113	2, 229 2, 258 2, 220 2, 184 2, 150	2.341 2.299 2.260 2.223 2.188	2.383 2.340 2.299 2.261 2.225	2, 425 2, 380 2, 338 2, 299 2, 262	2.509 2.461 2.417 2.376 2.336	2.592 2.543 2.495 2.452 2.410	2. 676 2. 624 2. 575 2. 528 2. 485	2.760 2.705 2.654 2.605 2.559	2.844 2.756 2.732 2.681 2.683	2. 928 2. 868 2. 811 2. 758 2. 708	3.012 2.949 2.890 2.834 2.782	3.026 3.030 2.969 2.911 2.856	3. 180 3. 111 3. 048 2. 987 2. 930	3. 263 3. 193 3. 126 3. 064 3. 005
	36 37 38 39 40	1.866 1.842 1.820 1.799 1.779	1.902 1.877 1.854 1.832 1.812	1.938 1.913 1.889 1.866 1.844	1.974 1.948 1.923 1.899 1.877	2.010 1.983 1.957 1.932 1.909	2.046 2.018 1.991 1.966 1.942	2.082 2.053 2.025 1.999 1.974	2.119 2.068 2.060 2.033 2.007	2. 155 2. 123 2. 094 2. 066 2. 039	2. 191 2. 159 2. 128 2. 099 2. 072	2. 227 2. 194 2. 162 2. 183 2. 104	2.299 2.264 2.231 2.199 2.169	2.371 2.334 2.299 2.286 2.234	2.444 2.405 2.368 2.383 2.209	2.516 2.475 2.436 2.399 2.364	2,588 2,545 2,504 2,466 2,429	2.660 2.615 2.573 2.533 2.494	2.732 2.685 2.641 2.599 2.559	2.805 2.758 2.710 2.668 2.624	2.877 2.826 2.778 2.783 2.689	2.949 2.896 2.847 2.799 2.754
	42 44 46 48 50	1.742 1.708 1.678 1.649 1.623	1.773 1.738 1.706 1.676 1.649	1.804 1.767 1.734 1.703 1.675	1.835 1.797 1.762 1.731 1.701	1.866 1.826 1.791 1.758 1.727	1.897 1.856 1.819 1.785 1.753	1.928 1.896 1.847 1.812 1.779	L 959 L 915 L 875 L 839 L 806	1.990 1.945 1.904 1.866 1.831	2.021 1.974 1.932 1.893 1.857	2.062 2.004 1.960 1.920 1.883	2.114 2.063 2.017 1.974 1.935	2.175 2.122 2.073 2.028 1.957	2.237 2.181 2.130 2.083 2.089	2.299 2.240 2.186 2.137 2.091	2.361 2.299 2.243 2.191 2.143	2.423 2.358 2.299 2.245 2.195	1 2,299	2.547 2.477 2.412 2.353 2.299	2.469 2.408	2. 671 2. 595 2. 525 2. 492 2. 403
	52 54 56 88 60	1. 599 1. 577 1. 557 1. 537 1. 519	1. 624 1. 601 1. 580 1. 560 1. 541	1.649 1.625 1.603 1.582 1.563	1. 674 1. 649 1. 626 1. 605 1. 584	1.699 1.673 1.649 1.627 1.606	1.724 1.698 1.673 1.649 1.628	1.749 1.722 1.696 1.672 1.649	1.774 1.746 1.719 1.694 1.671	1.799 1.770 1.742 1.717 1.693	1.824 1.704 1.765 1.739 1.714	1.849 1.818 1.789 1.761 1.736	1.899 1.966 1.835 1.806 1.779	1. 949 1. 914 1. 882 1. 851 1. 823	1. 999 1. 962 1. 928 1. 896 1. 866	2.049 2.011 1.974 1.941 1.909	2. 099 2. 059 2. 021 1. 956 1. 953	2. 149 2. 107 2. 067 2. 030 1. 996	2. 155 2. 114 2. 075	2. 160 2. 120	2. 251 2. 207 2. 165	2.349 2.299 2.253 2.210 2.170
	65 70 75	1. 479 1. 445 1. 416	1. 499 1. 464 1. 433	1. 519 1. 482 1. 450	1. 539 1. 501 1. 468	1. 559 1. 520 1. 485	1.579 1.538 1.502	1. 599 1. 557 1. 520	1. 619 1. 575 1. 537	1.639 1.594 1.554	1.659 1.612 1.572	1.679 1.631 1.589	1.719 1.668 1.624	1.760 1.705 1.658	1.800 1.742 1.693	1.810 1.780 1.728	1.880 1.817 1.762			2.000 1.928 1.866	1.965	2.080 2.002 1.936

TABLE 2 VALUES OF  $A_t/t_8$  FOR FLAT PANELS WITH Z-SECTION STIFFENERS.  $\frac{b_F}{b_W} = 0.4$ .  $\left[ \frac{A_t}{t_8} - 1 + \frac{b_W}{t_W} \left( 1 + \frac{b_F}{b_W} \right) + \frac{b_A}{t_W} \left( 2 - \frac{\pi}{2} \right) \left( \frac{r_A}{t_W} + \frac{r_F}{t_W} + 1 \right)}{b_S/t_S} \left( \frac{t_W}{t_S} \right)^3 \right]$ 

						_ts			ba	(r H			(ts)_	t			_				
bajta bajta	20	21	22	23	24	25	26	27	28	29	30 .	32	34	36	38	40	42	44	46	48	50
		· <u>-</u>							t₩	0.51	_							<del>,</del> -			<del> </del>
25 26 27 28 29 30	26															1. 811 1. 780 1. 781 1. 724 1. 609 1. 676					
31 32 33 34 35	31															1. 054 1. 034 1. 014 1. 896 1. 879					
36 87 38 39 40	34       1, 275       1, 286       1, 297       1, 307       1, 318       1, 329       1, 330       1, 361       1, 372       1, 332       1, 401       1, 425       1, 446       1, 468       1, 489       1, 511       1, 573															1. 503 1. 548 1. 534 1. 520 1. 507					
42 44 46 48 50	1. 223 1. 213 1. 203 1. 195 1. 187	1. 221 1. 211 1. 202 1. 194	1. 229 1, 219 1. 210 1. 202	1. 287 1. 227 1. 218 1. 209	1. 257 1. 246 1. 235 1. 225 1. 216	1. 266 1. 254 1. 243 1. 233 1. 224	1. 275 1. 262 1. 251 1. 240 1. 281	1. 283 1. 271 1. 259 1. 248 1. 238	1. 292 1. 279 1. 267 1. 256 1. 245	1. 301 1. 287 1. 275 1. 263 1. 253	1. 309 1. 295 1. 283 1. 271 1. 260	1. 327 1. 312 1. 298 1. 286 1. 274	1.344 1.328 1.314 1.301 1.289	1, 345 1, 330 1, 316 1, 304	1.379 1.302 1.346 1.331 1.318	1.396 1.378 1.362 1.347 1.333	1.347	1. 431 1. 411 1. 303 1. 377 1. 302	1.428 1.409 1.392 1.876	1. 444 1. 425 1. 407 1. 391	1, 483 1, 401 1, 441 1, 422 1, 406
52	1. 180	1. 187	1.194	L 201	1. 208	1. 215	1. 222	1, 229	1. 236	1. 248	1. 250	1. 264	1. 278	1. 292	1. 306	1. 320	1, 334	1, 348	1. 302	1.876	1, 390
54	1. 173	1. 180	1.187	L 193	1. 200	1. 207	1. 214	1, 220	1. 227	1. 234	1. 241	1. 254	1. 268	1. 281	1. 295	1. 308	1, 322	1, 335	1. 349	1.362	1, 375
56	1. 167	1. 174	1.180	I. 187	1. 193	1. 200	1. 206	1, 218	1. 219	1. 226	1. 232	1. 245	1. 258	1. 271	1. 284	1. 297	1, 310	1, 328	1. 330	1.349	1, 362
58	1. 161	1. 168	1.174	L 180	1. 186	1. 193	1. 199	1, 205	1. 212	1. 218	1. 224	1. 237	1. 249	1. 262	1. 274	1. 287	1, 299	1, 312	1. 324	1.337	1, 350
60	1. 156	1. 162	1.168	L 174	1. 180	1. 186	1. 192	1, 198	1. 204	1. 211	1. 217	1. 229	1. 241	1. 253	1. 265	1. 277	1, 289	1, 302	1. 314	1.326	1, 338
65	L 144	1. 150	1. 155	1. 161	1. 166	1. 172	1. 178	1. 183	1. 189	1. 194	1. 200	1. 211	1. 222	1. 234	1. 245	1. 256	1. 267	1. 278	1. 290	1. 301	1, 212
70	L 134	1. 139	1. 144	1. 149	1. 154	1. 160	1. 165	1. 170	L 175	1. 180	1. 186	1. 196	1. 206	1. 217	1. 227	1. 238	1. 248	1. 258	1. 269	1. 279	1, 290
75	L 125	L 130	1. 134	1. 139	1. 144	1. 149	1. 154	1. 159	L 164	1. 168	1. 178	1. 183	1. 193	1. 202	1. 212	1. 222	1. 232	1. 241	1. 251	1. 261	1, 270
									tw-	0.63							_		<b></b>		
25	1. 563	1. 585	1. 608	L 630	1. 652	1. 674	1. 696	1.719	L 741	1.763	1.785	1.830	1.874	1. 919	1. 963	2.008	2.052	2.097	9. 14i	2.156	2. 230
26	1. 541	1. 563	1. 584	L 606	1. 627	1. 648	1. 670	1.691	L 712	1.734	1.755	1.798	1.841	1. 883	1. 926	1.969	2.012	2.054	2. 097	2.140	2. 183
27	1. 521	1. 542	1. 563	L 583	1. 604	1. 624	1. 645	1.665	L 686	1.707	1.727	1.768	1.810	1. 851	1. 892	1.933	1.974	2.015	2. 057	2.098	2. 139
28	1. 503	1. 523	1. 542	L 562	1. 582	1. 602	1. 622	1.642	L 662	1.681	1.701	1.741	1.781	1. 820	1. 860	1.900	1.939	1.979	2. 019	2.059	2. 006
29	1. 485	1. 505	1. 524	L 543	1. 562	1. 581	1. 600	1.620	L 639	1.658	1.677	1.715	1.754	1. 792	1. 830	1.869	1.907	1.945	1. 934	2.022	2. 000
30	1. 469	1. 488	1. 506	L 525	1. 543	1. 562	1. 580	1.599	L 617	1.636	1.654	1.692	1.729	1. 766	1. 803	1.840	1.877	1.014	1. 951	1.968	3. 025
31	1. 454	1. 472	1. 490	1.508	1. 526	1. 544	1. 562	1. 580	1. 598	1. 615	1. 633	1.669	1. 705	1.741	1.777	1.818	1.848	1.884	1, 920	1. 956	1.922
32	1. 440	1. 487	1. 475	1.492	1. 509	1. 527	1. 544	1. 561	1. 579	1. 596	1. 614	1.648	1. 683	1.718	1.753	1.787	1.822	1.857	1, 891	1. 926	1.901
33	1. 427	1. 443	1. 460	1.477	1. 494	1. 511	1. 528	1. 544	1. 561	1. 578	1. 595	1.629	1. 662	1.696	1.730	1.763	1.797	1.831	1, 864	1. 908	1.932
34	1. 414	1. 430	1. 447	1.463	1. 479	1. 496	1. 512	1. 528	1. 545	1. 561	1. 577	1.610	1. 648	1.676	1.708	1.741	1.774	1.806	1, 839	1. 872	1.904
35	1. 402	1. 418	1. 434	1.450	1. 466	1. 482	1. 497	1. 513	1. 530	1. 545	1. 561	1.593	1. 624	1.658	1.688	1.720	1.752	1.783	1, 815	1. 847	1.879
36	1. 391	1. 406	1. 422	1. 437	1. 453	1. 468	1. 484	1. 499	1. 515	1. 530	1. 545	1. 576	1. 607	1. 638	1. 669	1.700	1. 781	1.762	1.792	1,823	1. 854
37	1. 380	1. 395	1. 411	1. 426	1. 441	1. 456	1. 471	1. 486	1. 501	1. 516	1. 531	1. 561	1. 591	1. 621	1. 651	1.681	1. 711	1.741	1.771	1,801	1. 831
38	1. 370	1. 385	1. 400	1. 414	1. 420	1. 444	1. 458	1. 473	1. 487	1. 502	1. 517	1. 546	1. 575	1. 604	1. 634	1.663	1. 692	1.721	1.751	1,780	1. 809
39	1. 361	1. 375	1. 389	1. 404	1. 418	1. 432	1. 446	1. 461	1. 475	1. 489	1. 508	1. 532	1. 560	1. 589	1. 617	1.646	1. 674	1.703	1.731	1,700	1. 788
40	1. 852	1. 366	1. 380	1. 394	1. 408	1. 421	1. 435	1. 449	1. 463	1. 477	1. 491	1. 519	1. 546	1. 574	1. 602	1.630	1. 658	1.685	1.718	1,741	1. 769
42	1. 835	1. 348	1. 362	1. 375	1. 388	1. 401	1. 415	L. 428	1. 441	1. 454	1. 467	1. 494	1. 520	1. 547	1. 578	1. 600	1. 626	1. 653	1, 679	1. 706	1, 732
44	1. 320	1. 383	1. 345	1. 358	1. 370	1. 383	1. 396	1. 408	1. 421	1. 434	1. 446	1. 471	1. 497	1. 522	1. 547	1. 573	1. 508	1. 623	1, 648	1. 674	1, 699
46	1. 306	1. 818	1. 330	1. 342	1. 354	1. 366	1. 879	1. 891	1. 403	1. 415	1. 427	1. 451	1. 475	1. 499	1. 528	1. 548	1. 572	1. 596	1, 620	1. 644	1, 668
48	1. 293	1. 305	1. 316	1. 328	L 340	1. 351	1. 363	1. 874	1. 386	1. 397	1. 409	1. 482	1. 455	1. 479	1. 502	1. 525	1. 548	1. 571	1, 594	1. 617	1, 641
50	1. 282	1. 293	1. 304	1. 315	1. 326	1. 337	1. 348	1. 359	1. 370	1. 382	1. 393	1. 415	1. 487	1. 459	1. 482	1. 504	1. 520	1. 548	1, 571	1. 593	1, 615
52	1. 271	1. 281	1. 292	1. 303	1. 313	1. 824	1. 335	1. 346	1. 356	1. 367	1. 378	1. 399	1. 420	1. 442	1. 463	1. 484	1. 506	1. 527	1. 549	1. 570	1. 591
54	1. 261	1. 271	1. 281	1. 292	1. 302	1. 312	1. 322	1. 333	1. 343	1. 353	1. 364	1. 384	L 405	1. 425	1. 446	1. 467	1. 487	1. 508	1. 526	1. 549	1. 569
56	1. 251	1. 261	1. 271	1. 281	1. 291	1. 301	1. 311	1. 321	1. 381	1. 341	1. 351	1. 370	1. 390	1. 410	1. 430	1. 450	1. 470	1. 490	1. 509	1. 529	1. 519
58	1. 243	1. 262	1. 262	1. 271	1. 281	1. 291	1. 300	1. 310	1. 319	1. 329	1. 339	1. 358	1. 377	1. 396	1. 415	1. 434	1. 453	1. 473	1. 492	1. 511	1. 530
60	1. 235	1. 244	1. 258	1. 262	1. 272	1. 281	1. 290	1. 299	1. 309	1. 318	1. 327	1. 346	1. 364	1. 383	1. 401	1. 420	1. 438	1. 467	1. 478	1. 494	1. 512
65	1. 217	I. 225	1. 284	1. 242	1. 251	L. 259	1. 268	1. 276	I. 285	1. 294	1. 302	1. 319	1. 336	1. 358	1. 370	1.388	1. 405	1. 422	1. 439	L 456	1. 472
70	L. 201	1. 209	1. 217	1. 225	1. 233	L. 241	1. 249	1. 257	1. 265	1. 278	1. 280	1. 296	1. 312	1. 328	1. 344	1.360	1. 876	1. 392	1. 408	L 423	1. 439
75	L. 188	1. 195	1. 203	1. 210	1. 217	1. 225	1. 232	1. 240	1. 247	1. 254	1. 262	1. 277	1. 291	1. 306	1. 321	1.836	1. 851	1. 366	1. 390	L 395	1. 410

TABLE 2—Concluded  ${\rm VALUES~OF~} A_i/t_8~{\rm FOR~FLAT~PANELS~WITH~Z\text{-}SECTION~STIFFENERS.} \quad \frac{b_F}{b_W} = 0.4 - {\rm Concluded.}$ 

bw/tw 28 29 20 21 23 24 25 27 30 32 42 46 48 22 26 34 36 38 40 44 50 bs/ts  $\frac{t_W}{t_B} = 0.79$ 1. 963 1. 926 1. 891 1. 860 1. 830 1. 802 1.858 1.825 1.794 1.766 1.740 1.715 2. 033 1. 993 1. 956 1. 922 1. 830 1. 861 2. 068 2. 027 1. 989 1. 953 1. 920 1. 890 2. 138 2. 094 2. 053 2. 016 1. 981 1. 948 2.172 2.127 2.086 2.047 2.011 1.977 2. 207 2. 161 2. 118 2. 078 2. 041 2. 006 2. 277 2. 228 2. 183 2. 140 2. 101 2. 004 2. 417 2. 363 2. 312 2. 265 2. 222 2. 181 2.487 2.430 2.377 2.328 2.282 2.239 2, 557 2, 497 2, 412 2, 390 2, 342 2, 297 2.627 2.564 2.506 2.453 2.402 2.356 1.893 1.859 1.827 1. 928 1. 892 1. 859 1, 998 1, 959 1, 924 2. 103 2. 060 2. 021 2.847 2.295 2.247 2.697 2.631 2.571 2.767 2.609 2.635 2.577 2.836 2.765 2.700 2.640 2,906 2,833 2,765 2,702 25 26 27 28 29 30 1.828 1.800 1.778 1.891 1.860 1.831 1.984 1.950 1.919 2. 203 2. 161 2. 123 2 515 2. ±63 2. 414 2.523 2.472 2.043 2.589 1. 692 1. 670 1. 650 1. 631 1. 613 1.720 1.698 1.676 1.657 1.638 1. 805 1. 779 1. 756 1. 734 1. 713 1.833 1.807 1.782 1.759 1.738 1. 917 1. 889 1. 862 1. 836 1. 812 L 946 L 916 1.888 L 862 L 837 2.030 1.998 1.968 1.939 1.912 2. 086 2. 053 2. 021 1. 991 1. 962 2. 258 2. 216 2. 179 2. 145 2. 112 2, 425 2, 380 2, 338 2, 299 2, 262 2, 537 2, 489 2, 444 2, 402 2, 362 1.748 1.725 1.703 1.682 1.663 1.776 1.752 1.729 1.708 1.688 1.861 1.834 1.809 1.785 1.763 1.889 1.861 1.835 1.811 1.788 1.974 1.943 1.915 2, 143 2, 107 2, 074 2, 042 2, 012 2, 199 2, 162 2, 127 2, 093 2, 062 2.312 2.271 2.232 2.196 2.162 2. 358 2. 326 2. 285 2. 248 2. 212 2, 481 2, 435 2, 391 2, 350 2, 312 31 32 33 34 35 L 888 L 862 1. 693 1. 674 1. 656 1. 640 1. 624 2. 227 2. 194 2. 162 2. 132 2. 104 1.717 1.698 1.679 1.662 1.790 1.769 1.748 1.729 1.711 1.814 1.792 1.771 1.752 1.733 1. 984 1. 957 1. 932 1. 908 1. 886 2.033 2.005 1.978 1.953 1.929 2. 081 2. 052 2. 024 1. 998 1. 973 2. 130 2. 099 2. 070 2. 043 2. 017 1.644 1.627 1.610 1.766 1.745 1.725 1.707 L 887 L 863 1. 840 1. 819 2. 178 2. 146 2. 116 2. 068 2. 060 2. 324 2. 288 2. 254 1, 596 1,620 1.669 1.741 1,838 1. 936 1. 910 2, 275 2, 241 2, 208 36 37 38 39 40 1.580 1.564 1.550 1.603 1.587 1.572 1.650 1.633 1.617 1.816 1.794 1.774 1.721 1.702 1.886 1.864 1.595 1.580 1 684 ĩ. 558 1.602 I. 645 1.667 1 689 L 798 1.842 1. 531 1. 507 1. 485 1. 465 1. 552 1. 527 1. 504 1. 483 1. 464 1. 573 1. 547 1. 523 1. 501 1. 594 1. 567 1. 542 1. 520 1. 499 1. 615 1. 587 1. 561 1. 538 1. 516 1.635 1.607 1.580 1.556 1. 656 1. 626 1. 599 1. 574 1. 551 1. 677 1. 646 1. 618 1. 502 1. 569 1.698 1.666 1.637 1.611 1.586 1. 719 1. 686 1. 656 1. 629 1. 604 1. 760 1. 726 1. 694 1. 665 1. 639 1.841 1.805 1.770 1.738 1.709 1.885 1.845 1.808 1.774 1.743 2, 010 1, 964 1, 922 1, 894 1, 848 2.052 2.004 1.960 1.920 1.883 2.093 2.043 1.998 1.956 1.918 42 44 46 48 50 1, 968 1, 924 1, 884 1, 847 L. 511 1.802 1, 927 2. 135 L. 487 L. 466 L. 447 L. 429 1.765 1.732 1.702 1.885 1.846 1.811 1.778 2.083 2.036 1.993 1.446 1.481 L 534 1.674 1.813 1. 614 1. 591 1. 570 1. 551 1. 532 L.463 L.446 L.430 L.415 L.401 1. 412 1. 397 1. 383 1. 370 1. 357 1. 446 1. 430 1. 414 1. 400 1. 387 1. 480 1. 462 1. 445 1. 430 1. 416 1.496 1.478 1.461 1.445 1.430 1. 513 1. 494 1. 477 1. 460 1. 445 L 580 1. 559 1. 539 1. 520 1. 503 1.681 1.656 1.633 1.611 1.590 1.782 1.753 1.726 1.701 1.678 1. 530 1. 510 1. 492 1. 475 1. 459 L 547 1, 527 1, 508 1, 490 1, 474 1. 564 1. 543 1. 523 1. 505 1. 489 1. 648 1. 624 1. 601 1. 581 1. 561 1.715 1.688 1.664 1.641 1.620 1.748 1.721 1.695 1.671 1.649 1.816 1.786 1.767 1.731 1.707 1.849 1.818 1.789 1.761 1.736 1. 883 1. 850 1. 820 1. 792 1. 765 1,429 1. 917 52 54 56 58 60 L 413 L 399 L 385 L 372 1.883 1.851 1.822 1, 794 1.451 1.419 1.391 L 370 L 344 L 321 1.397 1.369 1.344 L 438 L 406 L 379 1. 679 1. 631 1. 589 1.330 1.306 L.286 1.343 1.319 1.298 1.357 1.331 1.309 L 384 L 356 L 333 1.411 1.381 1.356 1. 424 1. 394 1. 368 1. 464 1. 431 1. 402 1. 491 1. 456 1. 426 1. 518 1. 481 1. 449 1. 545 L 506 L 472 1. 572 1. 531 1. 496 L 599 1. 556 1. 519 1. 626 1. 681 1. 542 1. 653 1. 606 1. 566 65 70 75 1. 706 1. 656 1. 612 1, 733 1. 681 1. 635  $\frac{t\pi}{t_B} = 1.00$ 2 439 2 383 2 332 2 285 2 240 2 199 2, 495 2, 437 2, 384 2, 335 2, 289 2, 246 2, 551 2, 491 2, 436 2, 385 2, 337 2, 292 2. 663 2. 599 2. 540 2. 485 2. 433 2. 356 2.719 2.663 2.501 2.535 2.482 2.432 2.775 2.706 2.643 2.585 2.530 2.479 2. 831 2. 760 2. 695 2. 635 2. 578 2. 526 2.887 2.814 2.747 2.685 2.626 2.572 2 999 2 922 2 851 2 785 2 723 2 666 3. 111 3. 030 2. 954 2. 885 2. 820 2. 759 2.383 2.330 2.280 2.235 2.607 2.545 2.458 2.435 3. 223 3. 137 3. 063 2. 985 2. 916 2. 852 3, 835 3, 245 8, 162 3, 085 3, 013 2, 946 3. 559 3. 460 3. 369 3. 265 3. 206 3. 132 3. 761 3. 568 3. 473 3. 385 3. 302 3. 226 8. 783 3. 676 8. 577 3. 435 3. 809 3. 319 3. 895 3. 783 3. 680 3. 585 3. 495 3. 412 2.327 2.276 2.228 3. 447 3. 353 3. 265 4.007 3.891 3.784 3.685 3.592 3.506 25 26 27 28 29 30 3. 185 3. 109 3. 039 2 185 2 144 2 106 2 192 2 152 2.385 2.339 2. 432 2. 386 2. 344 2. 305 2. 268 2.070 2.038 2.005 1.975 1.948 2.115 2.080 2.048 2.017 1.988 2. 160 2. 124 2. 090 2. 058 2. 028 2. 205 2. 168 2. 132 2. 099 2. 068 2. 251 2. 211 2. 175 2. 140 2. 108 2. 296 2. 255 2. 217 2. 181 2. 148 2.341 2.299 2.260 2.223 2.188 2.356 2.343 2.302 2.264 2.228 2.476 2.430 2.387 2.346 2.308 2, 522 2, 474 2, 429 2, 387 2, 348 2.612 2.561 2.514 2.470 2.428 1,702 2,649 2,599 2,552 1,508 2.792 2.736 2.684 2.634 2.588 2.883 2.824 2.769 2.717 2.668 2.972 2.911 2.854 2.799 2.748 8, 244 3, 174 3, 108 3, 046 2, 988 3. 063 2. 999 2. 938 2. 881 2. 828 3. 154 3. 086 8. 023 2. 964 2. 908 3, 234 3, 261 3, 193 3, 128 3, 068 3. 425 3. 349 3. 278 3. 211 3. 145 31 32 33 34 35 1.960 1.934 1.910 1.886 1.864 1. 999 1. 972 1. 946 1. 922 2.038 2.010 1.983 1.958 2.077 2.048 2.020 1.994 1.969 2.116 2.086 2.087 2.080 2. 155 2. 123 2. 094 2. 066 2. 039 2 194 2 161 2 131 2 102 2, 232 2, 199 2, 168 2, 138 2, 544 2, 502 2, 462 2, 425 2, 389 2, 621 2, 578 2, 536 2, 497 2, 459 2. 609 2. 653 2. 610 2. 568 2. 529 2.855 2.805 2.757 2.712 2.669 2.932 2.830 2.831 2.784 2.789 1. 921 1. 896 1. 873 1. 850 2. 271 2. 237 2. 204 2. 174 2.310 2.275 2.241 2.209 2.388 2.350 2.315 2.281 2.466 2.426 2.389 2.353 2.777 2.729 2.683 2.640 2.509 3.010 2.956 2.904 2.856 2.809 3.088 8.032 2.978 2.927 2.879 36 37 38 39 40 1.899 I. 934 2,004 2.074 2, 109 2.144 2. 179 2. 249 2 319 1. 790 1. 754 1. 721 1. 691 1. 663 L 890 L 849 L 812 L 778 L 747 2.056 2.008 1.964 1.924 1.887 2. 090 2. 040 1. 995 1. 953 1. 915 1, 823 1, 786 1, 751 1, 720 1, 691 1. 856 1. 817 1. 782 1. 749 1. 719 1. 923 1. 881 1. 843 1. 908 1. 775 1. 956 1. 913 1. 873 1. 837 1. 803 1.990 1.945 1.904 1.866 1.831 2.023 1.976 1.934 1.895 1.859 2.123 2.072 2.025 1.983 1.943 2. 190 2. 136 2. 086 2. 041 1. 999 2. 255 2. 199 2. 147 2. 099 2. 055 2.323 2.263 2.208 2.158 2.111 2, 390 2, 327 2, 260 2, 216 2, 167 2. 456 2. 390 2. 330 2. 274 2. 223 2. 523 2. 454 2. 391 2. 333 2. 279 2, 590 2, 517 2, 451 2, 391 2, 335 2.656 2.581 2.512 2.449 2.391 2, 723 2, 645 2, 573 2, 508 2, 447 42 44 46 48 50 2,790 2.708 2.634 2.568 2. 503 1.692 1.666 1.642 1.626 1.599 1.719 1.692 1.667 1.644 1.623 2.338 2.258 2.242 2.199 2.160 1.665 1.640 1.617 1.596 1.576 1.746 1.718 1.692 1.668 1.646 1.772 1.744 1.717 1.693 1.669 1.799 1.770 1.742 1.717 1.693 L 826 1.796 1.767 1.741 1.716 1. 853 1. 822 1. 792 1. 765 1. 739 1.880 1.848 1.817 1.789 1.763 1. 907 1. 873 1. 842 1. 813 1. 786 1. 961 1. 925 1. 892 1. 861 1. 833 2.015 1.977 1.942 1.910 1.879 2, 069 2, 029 1, 992 1, 958 1, 926 2. 122 2. 081 2. 042 2. 006 1. 973 2. 176 2. 133 2. 092 2. 055 2. 020 2 230 2 185 2 142 2 103 2 066 2. 284 2. 236 2. 192 2. 151 2. 113 2, 392 2, 340 2, 292 2, 248 1, 206 2. 446 2. 392 2. 342 2. 296 2. 253 52 54 56 58 60 L 638 1. 614 1. 592 1. 572 1. 553 1. 532 1. 494 1. 461 1. 563 1. 514 1. 480 1. 575 1. 534 1. 498 1. 596 1. 554 1. 517 1.639 1.504 1.554 1.683 1.634 1.592 1.704 1.654 1.610 1.769 1.714 1.666 1.898 1.834 1.778 65 70 75 1. 510 1.618 L 661 1.812 1.754 1.704 1. 855 1. 794 1. 741 1. 941 1. 874 1. 816 1.984 1.914 1.853 2. 027 1. 954 1. 890 2.070 1.994 1.928 1, 725 2. 113 2. 034 1. 965 2.156 L 614 1. 573 1.674 1.629

TABLE 3 VALUES OF  $A_i/t_s$  FOR FLAT PANELS WITH Z-SECTION STIFFENERS.  $\frac{b_\pi}{b_W} = 0.5$ .  $\left[ \frac{A_i}{t_s} - 1 + \frac{b_W}{t_w} \left( 1 + \frac{b_F}{b_W} \right) + \frac{b_A}{t_w} - \left( 2 - \frac{\pi}{2} \right) \left( \frac{r_A}{t_w} + \frac{r_F}{t_w} + 1 \right)}{b_S/t_S} \left( \frac{t_W}{t_s} \right)^{\frac{1}{2}} \right]$ 

$\overline{}$								_			1	1					$\overline{}$					
bsits	bw,tw	20	21	22	28	24	25	26	27	28	29	30	32	34	36	38	40	42	44	46	48	80
	٠									$\frac{t_W}{t_S}$	0.51	,										
184 614 514	25 26 27 28 29 30	1.395 1.380 1.366 1.353 1.340 1.329	1. 411 1. 395 1. 380 1. 367 1. 354 1. 842	1. 426 1. 410 1. 395 1. 381 1. 367 1. 355	1. 442 1. 425 1. 409 1. 394 1. 381 1. 368	1. 457 1. 440 1. 424 1. 408 1. 394 1. 381	1. 473 1. 455 1. 438 1. 422 1. 408 1. 304	1. 489 1. 470 1. 452 1. 436 1. 421 1. 407	1. 504 1. 485 1. 467 1. 450 1. 435 1. 420	1. 520 1. 500 1. 481 1. 464 1. 448 1. 433	1. 535 1. 515 1. 496 1. 478 1. 462 1. 445	1. 551 1. 530 1. 510 1. 492 1. 475 1. 459	1. 582 1. 560 1. 539 1. 520 1. 802 1. 485	1. 613 1. 500 1. 568 1. 548 1. 529 1. 511	1. 645 1. 620 1. 597 1. 576 1. 556 1. 537	L 676 L 650 L 626 L 603 L 583 L 583	1, 707 1, 699 1, 655 1, 631 1, 610 1, 589	1.738 1.710 1.684 1.059 1.636 1.615	1.769 1.749 1.712 1.687 1.663 1.641	1.891 1.770 1.741 1.715 1.000 1.667	1.832 1.830 1.770 1.713 1.717 1.693	1.843 1.830 1.700 1.771 1.744 1.719
	31	1.319	1. 331	1.344	L 356	1. 369	1. 381	1.394	1. 407	1, 419	L 432	1. 444	1. 470	1. 495	1, 520	1. 545	1. 570	1. 595	1. 621	1, 646	1.671	1. 096
	32	1.309	1. 321	1.333	1, 345	1. 357	1. 370	1.382	1. 394	1, 406	L 418	1. 430	1. 455	1. 479	1, 504	1. 528	1. 552	1. 577	1. 601	1, 626	1.650	1. 674
	33	1.299	1. 311	1.323	1, 335	1. 347	1. 358	1.370	1. 382	1, 394	L 406	1. 417	1. 441	1. 465	1, 488	1. 512	1. 536	1. 559	1. 563	1, 607	1.630	1. 054
	34	1.290	1. 302	1.313	1, 325	1. 336	1. 348	1.359	1. 371	1, 382	L 304	1. 405	1. 428	1. 451	1, 474	1. 497	1. 520	1. 543	1. 566	1, 589	1.612	1. 035
	35	1.282	1. 293	1.304	1, 316	1. 327	1. 388	1.349	1. 360	1, 371	L 382	1. 394	1. 416	1. 438	1, 460	1. 483	1. 505	1. 527	1. 550	1, 572	1.894	1. 016
	36	1. 274	1. 285	1. 296	1.307	1.318	1.328	1.339	1.350	1. 361	1.372	1.383	L. 404	1.428	1. 448	L 469	1, 491	1. 513	1. 534	1. 556	1. 578	1, 599
	37	1. 267	L 277	1. 288	1.298	1.309	1.320	1.330	1.841	1. 351	1.362	1.372	1. 393	1.414	1. 436	L 457	1, 478	1. 499	1. 520	1. 541	1. 562	1, 563
	38	1. 260	1. 270	1. 280	1.291	1.301	1.311	1.321	1.332	1. 342	1.352	1.363	1. 383	1.404	1. 424	L 445	1, 405	1. 486	1. 506	1. 597	1. 547	1, 568
	39	1. 253	1. 263	1. 273	1.283	1.293	1.303	1.313	1.323	1. 333	1.343	1.353	1. 373	1.393	1. 413	L 433	1, 458	1. 473	1. 493	1. 513	1. 533	1, 553
	40	1. 247	1. 257	1. 266	1.276	1.286	1.296	1.305	1.315	1. 325	1.335	1.344	1. 364	1.383	1. 408	L 422	1, 442	1. 461	1. 481	1. 500	1. 520	1, 539
	42	1. 235	1. 244	1. 254	1. 263	1. 272	1. 282	1, 291	1.300	1. 309	1, 819	1.328	1. 347	1.365	1.384	1. 402	1. 421	1. 439	1. 458	1.477	1. 495	1. 514
	44	1. 224	1. 233	1. 242	1. 251	1. 260	1. 269	1, 278	1.286	1. 295	1, 304	1.313	1. 331	1.349	1.366	1. 384	1. 402	1. 419	1. 437	1.455	1. 478	1. 490
	46	1. 215	1. 223	1. 232	1. 240	1. 249	1. 257	1, 266	1.274	1. 283	1, 291	1.299	1. 316	1.333	1.350	1. 367	1. 384	1. 401	1. 418	1.435	1. 452	1. 469
	48	1. 206	1. 214	1. 222	1. 230	1. 238	1. 246	1, 254	1.263	1. 271	1, 279	1.287	1. 303	1.319	1.336	1. 352	1. 368	1. 384	1. 401	1.417	1. 433	1. 450
	50	1. 197	1. 205	1. 213	1. 221	1. 229	1. 237	1, 244	1.252	1. 260	1, 268	1.276	1. 291	1.307	1.322	1. 338	1. 354	1. 369	1. 385	1.400	1. 416	1. 432
	52	1. 190	1. 197	1. 205	1. 212	1. 220	1. 227	1. 235	1. 242	1. 250	1, 257	1. 265	1, 280	1. 205	1,310	1, 325	1.340	1, 355	1, 370	1, 385	1, 400	1. 418
	54	1. 183	1. 190	1. 197	1. 205	1. 212	1. 210	1. 226	1. 233	1. 241	1, 248	1. 255	1, 270	1. 284	1,298	1, 313	1.327	1, 342	1, 356	1, 371	1, 385	1. 400
	56	1. 176	1. 183	1. 190	1. 197	1. 204	1. 211	1. 218	1. 225	1. 232	1, 239	1. 246	1, 260	1. 274	1,268	1, 302	1.316	1, 330	1, 344	1, 357	1, 371	1. 385
	58	1. 170	1. 177	1. 184	1. 190	1. 197	1. 204	1. 211	1. 217	1. 224	1, 231	1. 237	1, 251	1. 264	1,278	1, 291	1.306	1, 318	1, 332	1, 345	1, 359	1. 372
	60	1. 165	1. 171	1. 178	1. 184	1. 191	1. 197	1. 204	1. 210	1. 217	1, 223	1. 230	1, 243	1. 256	1,209	1, 282	1.205	1, 308	1, 321	1, 334	1, 347	1. 300
	65	1, 152	1. 158	1. 164	1, 170	1. 176	1. 182	1. 188	i. 194	1. 200	1. 206	1, 212	1. 224	1, 236	1. 248	1. 200	1. 272	1. 284	1, 296	1.308	1, 320	1. 332
	70	1, 141	1. 147	1. 152	1, 153	L 163	1. 169	1. 175	1. 180	1. 186	1. 191	1, 197	1. 208	1, 219	1. 230	1. 241	1. 253	1. 264	1, 275	1.250	1, 267	1. 308
	75	1, 132	1. 137	1. 142	1, 147	I. 152	1. 158	1. 163	1. 168	1. 178	1. 178	1, 184	1. 194	1, 204	1. 215	1. 275	1. 238	1. 246	1, 256	1.267	1, 277	1. 288
										tw.	0.63						•	-				
	25	1. 595	1. 619	1. 642	1. 666	1. 690	1. 714	1.738	1. 762	1.785	1.809	1. 833	1.881	1. 928	1.976	2.024	2.071	2.119	2.166	2.214	2.262	2.309
	26	1. 572	1. 595	1. 618	1. 641	1. 064	1. 686	1.709	1. 732	L.755	1.778	1. 810	1.847	1. 893	1.928	I.984	2.030	2.070	2.122	2.167	2.213	2.259
	27	1. 551	1. 573	1. 595	1. 617	1. 639	1. 661	1.653	1. 705	1.727	1.749	1. 771	1.815	1. 800	1.904	I.948	1.992	2.036	2.090	2.124	2.168	2.219
	28	1. 531	1. 552	1. 574	1. 595	1. 616	1. 637	1.659	1. 680	1.701	1.722	1. 744	1.786	1. 829	1.871	I.914	1.956	1.909	2.042	2.084	2.127	2.109
	29	1. 513	1. 533	1. 554	1. 574	1. 595	1. 615	1.636	1. 657	1.677	1.698	1. 718	1.759	1. 800	1.841	I.882	1.923	1.964	2.006	2.047	2.088	2.129
	30	1. 496	1. 516	1. 535	1. 555	1. 575	1. 595	1.615	1. 635	L.654	1.674	1. 604	1.734	1. 774	1.813	I.853	1.893	1.932	1.972	2.012	2.081	2.091
	31	1. 480	1. 499	1. 518	1. 537	1. 557	1. 576	1. 595	1. 614	1. 633	1.653	1. 672	1.710	1.749	1.787	1.825	1.864	1. 902	1. 941	1.979	2.018	2, 056
	32	1. 465	1. 483	1. 502	1. 521	1. 539	1. 558	1. 576	1. 595	1. 614	1.632	1. 651	1.688	1.725	1.762	1.800	1.837	1. 874	1. 911	1.019	1.986	2, 023
	33	1. 451	1. 469	1. 487	1. 505	1. 523	1. 541	1. 559	1. 577	1. 595	1.613	1. 631	1.067	1.703	1.739	1.775	1.811	1. 848	1. 834	1.920	1.956	1, 992
	34	1. 437	1. 455	1. 472	1. 490	1. 507	1. 525	1. 542	1. 560	1. 578	1.595	1. 613	1.648	1.683	1.718	1.753	1.788	1. 823	1. 858	1.803	1.928	1, 963
	35	1. 425	1. 442	1. 409	1. 478	1. 493	1. 510	1. 527	1. 544	1. 561	1.578	1. 595	1.629	1.663	1.097	1.731	1.765	1. 799	1. 833	1.807	1.901	1, 935
	36	1. 413	1. 430	1. 446	1. 463	1. 479	1. 496	1. 512	1. 529	1.545	1. 562	1. 578	1. 612	1. 645	1.678	1. 711	1.744	1.777	1. 810	1,843	1. 870	1. 909
	37	1. 402	1. 418	1. 484	1. 450	1. 466	1. 482	1. 498	1. 515	1.531	1. 547	1. 563	1. 595	1. 627	1.659	1. 692	1.724	1.756	1. 788	1,820	1. 853	1. 885
	38	1. 391	1. 407	1. 428	1. 438	1. 454	1. 470	1. 485	1. 501	1.517	1. 582	1. 548	1. 579	1. 611	1.642	1. 673	1.705	1.736	1. 707	1,799	1. 830	1. 801
	39	1. 381	1. 397	1. 412	1. 427	1. 442	1. 458	1. 473	1. 498	1.503	1. 519	1. 534	1. 565	1. 595	1.626	1. 656	1.687	1.717	1. 743	1,778	1. 809	1. 839
	40	1. 372	1. 387	1. 402	1. 416	1. 431	1. 446	1. 461	1. 476	1.491	1. 506	1. 521	1. 550	1. 580	1.610	1. 640	1.609	1.609	1. 729	1,759	1. 789	1. 818
	42	1. 354	1. 368	1. 382	1. 397	1. 411	1. 425	1. 439	1. 453	1. 468	1. 482	1. 496	1. 524	1. 553	1. 581	1. 609	1. 638	L. 666	1. 694	1,722	1. 751	1.779
	44	1. 338	1. 352	1. 365	1. 379	1. 392	1. 406	1. 419	1. 453	1. 446	1. 460	1. 473	1. 500	1. 527	1. 554	1. 582	1. 609	1. 636	1. 663	1,690	1. 717	1.744
	46	1. 323	1. 336	1. 349	1. 362	1. 375	1. 388	1. 410	1. 414	1. 427	1. 440	1. 453	1. 479	1. 505	1. 530	1. 556	1. 582	1. 603	1. 634	1,660	1. 655	1.712
	48	1. 310	1. 322	1. 335	1. 347	1. 359	1. 872	1. 384	1. 397	1. 409	1. 421	1. 434	1. 459	1. 433	1. 508	1. 533	1. 558	1. 583	1. 608	1,632	1. 657	1.682
	50	1. 297	1. 309	1. 321	1. 333	1. 345	1. 357	1. 369	1. 381	1. 393	1. 405	1. 417	1. 440	1. 464	1. 488	1. 512	1. 636	1. 559	1. 583	1,607	1. 631	1.655
	52	1. 286	1. 297	1. 309	1. 320	1. 332	1.343	1. 855	1.366	1. 378	1. 389	1. 400	1. 423	1. 446	1. 469	1. 492	1, 515	1. 538	1, 561	1. 584	1. 007	1, 629
	54	1. 275	1. 236	1. 297	1. 308	1. 320	1.331	1. 342	1.353	1. 364	1. 375	1. 336	1. 408	1. 430	1. 452	1. 474	1, 496	1. 518	1, 540	1. 502	1. 584	1, 606
	56	1. 266	1. 276	1. 287	1. 297	1. 308	1.319	1. 329	1.340	1. 351	1. 361	1. 372	1. 393	1. 414	1. 436	1. 457	1, 478	1. 499	1, 521	1. 542	1. 563	1, 565
	58	1. 256	1. 267	1. 277	1. 297	1. 297	1.308	1. 318	1.328	1. 339	1. 349	1. 359	1. 390	1. 400	1. 421	1. 441	1, 462	1. 492	1, 503	1. 523	1. 514	1, 564
	60	1. 248	1. 258	1. 268	1. 278	1. 238	1.297	1. 307	1.317	1. 327	1. 337	1. 347	1. 367	1. 387	1. 407	1. 426	1, 416	1. 466	1, 498	1. 506	1. 520	1, 546
	65	1. 229	1. 238	1. 247	1. 256	1. 265	1. 275	1. 284	I. 293	1. 302	1, 311	1, 320	1.339	1. 357	1. 375	1. 394	1, 412	1. 430	1. 419	1. 467	1. 485	1. 504
	70	1. 212	1. 221	1. 229	1. 238	1. 246	1. 255	1. 263	1. 272	1. 281	1, 289	1, 298	1.315	1. 332	1. 349	1. 365	1, 383	1. 100	1. 417	1. 434	1. 451	1, 168
	75	1. 198	1. 206	1. 214	L 222	1. 230	1. 238	1. 246	1. 254	1. 262	1, 270	1, 278	1.294	1. 309	1. 325	1. 341	1, 357	1. 373	1. 339	1. 405	1. 421	1, 136

TABLE 3—Concluded . VALUES OF  $A_i/t_8$  FOR FLAT PANELS WITH Z-SECTION STIFFENERS.  $\frac{b_F}{b_W}$ =0.5—Concluded.

50 42 41 46 48 36 38 beitw 32 34 22 23 24 25 26 27 28 20 30 20 21 bs/ts  $\frac{t_W}{t_S} = 0.79$ 2.956 2.881 2.811 2.747 2.686 2.630 2. 657 2. 593 2. 634 2. 479 2. 428 2.732 2.665 2.603 2.546 2.493 2.413 2.807 2.737 2.673 2.613 2.557 3.031 2.953 2.881 2.814 2. 282 2. 233 2. 187 2. 145 2. 105 2. 069 2. 357 2. 305 2. 257 2. 212 2. 170 2.432 2.377 2.326 2.279 2.235 2.193 2. 507 2. 449 2. 895 2. 346 2. 299 2.582 2.521 2.465 2.412 2.364 2.881 2.809 2.742 2.690 2.095 2.053 2.014 1.978 1.944 1.913 2 133 2 089 2 049 2 011 1 976 1 944 2. 245 2. 197 2. 153 2. 111 1.945 1.909 1.875 1.844 1.815 1.788 2.058 2.017 1.079 1.944 1.912 2.170 2.125 2.083 2.045 2.207 2.161 2.118 2.078 2.620 1.981 1.945 1.911 I. 908 I. 873 I. 841 I. 811 1.983 1.945 25 26 27 28 29 30 1. 910 1.877 1.847 2.009 1.975 2.041 2.006 2.073 2.037 1.879 1.850 2.505 2. 131 2. 256 2.318 2.38I 1.881 2.215 2.177 2.142 2.108 2.076 2. 336 2. 294 2. 255 2. 218 2. 183 2.396 2.353 2.312 2.273 2.237 2. 457 2. 411 2. 369 2. 328 2. 290 2. 517 2. 470 2. 425 2. 383 2. 344 2.578 2.528 2.432 2.438 2.397 2.095 2.060 2.028 1.998 1.969 2. 155 2. 119 2. 085 2. 053 2. 023 2.276 2.236 2.198 2.163 2.130 2. 638 2. 587 2. 539 2. 494 1.974 1.943 1.915 2.004 1.973 1.943 1.915 1.889 2.034 2.002 1.971 1.943 1.883 1.856 1.830 1.905 1.782 1. 913 1. 885 1. 858 1. 833 1. 809 1.943 1.914 1.886 1.732 1.709 1.688 1.668 1.762 1.738 1.716 1.695 1.793 1.768 1.744 1.723 1.823 1.797 1.778 1.750 L. 953 I. 826 31 32 33 34 35 1.801 1.778 1.755 L 860 L 836 I.888 I.862 1.916 2.047 2.018 1.991 1.966 1.942 2.307 2.271 2.238 2.206 2.176 1.994 1.963 1.942 1.918 1.895 2.099 2.069 2.041 2.014 1.989 2.151 2.119 2.090 2.062 2.035 2. 203 2. 170 2. 139 2. 110 2. 082 2. 255 2. 221 2. 189 2. 158 2. 129 2.359 2.322 2.287 2.254 1.838 1.816 1.794 1.774 1.755 1.864 1.841 1.819 1.798 1.778 1.760 1.740 1.720 1.702 1.684 1.788 1.765 1.745 1.726 1.708 1.890 1.866 1.844 1.822 1.942 1.917 1.893 1.870 2.411 1.734 1.715 1.696 1.678 1.661 1.812 1.790 1.770 1.656 1.639 1.622 1.606 1.591 I. 682 1. 664 I. 647 L. 630 36 37 38 39 40 1.630 1.708 2.372 2.336 2.302 1.613 1.697 1.582 1.689 1.671 1.554 1.638 1.750 1.781 2.075 2.026 1.982 1.941 1.903 2.165 2.112 2.063 2.019 1.978 1. 942 1. 899 1. 860 1. 824 1. 791 2. 120 2. 069 2. 023 2, 209 L 808 L 771 L 738 L 707 L 679 2.031 1.984 1.941 1.902 1.741 1.707 1.677 1.648 1.622 1.763 1.729 1.697 1.652 1.622 1.595 1.570 1.548 1.719 1.686 1.656 1.629 1.604 1.852 1.897 L. 986 1.563 1.537 1.514 1.492 1.473 1.585 1.558 1.534 L 696 L 665 L 636 1.630 1.601 1.540 1,607 42 44 45 48 50 1.856 1.819 1.785 1.753 2.154 2.104 L 814 1.778 L 746 1.716 1.941 1.900 1.863 1.828 1. 516 1. 493 1. 473 1. 454 1. 580 1. 554 1. 531 I. 643 I. 615 L. 590 L. 586 1. 575 1. 551 1. 529 9. 058 1.609 1.585 1.668 1.641 1.512 1.866 1.510 L. 905 L. 871 L. 840 1. 811 1. 784 1.760 1.732 1.706 1.682 1.659 1.796 1.767 1.740 1.714 1.690 L 869 L 836 L 806 L 779 L 753 1. 941 1. 906 1. 873 1. 843 1. 815 1. 977 1. 940 1. 907 1. 598 1. 576 1. 556 1. 537 1. 519 1. 616 1. 594 1. 572 1. 553 1. 534 1.724 1.698 L.673 L.650 1.688 1.833 1. 472 1. 455 1. 439 1. 424 1. 409 1. 508 1. 490 1. 472 1. 458 1. 441 1.526 1.507 1.489 1.472 1.456 L. 544 1. 524 1. 506 1. 488 1. 472 1.562 1.542 1.522 1.504 1.487 1.580 1.559 1.539 L 652 L.454 L.438 1.422 1.407 1.394 1.436 L.420 1.405 1.391 1.378 1.490 52 54 56 58 60 L 628 L 606 L 585 L 565 1.683 1.639 1.617 1. 802 1. 773 1. 745 1. 722 1. 472 1. 455 1. 440 1. 425 1.520 1.503 L 628 1.695 1.645 1.602 1. 724 1. 672 1. 627 1.752 1.699 1.652 1.781 1.*5*90 1.*5*38 1.*5*02 1.608 1.565 1.527 1. 637 | 1. 666 1. 592 | 1. 618 1. 552 | 1. 577 1. <del>464</del> 1. 431 1. 402 1.470 1.445 1.415 L 493 1. 458 1. 427 1. 522 1. 485 1. 452 1.551 L511 L477 1.421 1.391 1.385 1. 436 1. 404 1. 377 1.450 1.418 1.390 1.407 1.378 1.353 1.364 1.338 1.315 1.392 1.364 1.340 1.349 1.324 1.303 L 378 L 351 1.323  $\frac{tw}{t_B} = 1.00$ 4. 207 3. 083 3. 969 3. 863 3. 764 3. 672 3, 847 3, 737 3, 636 3, 542 8, 454 4.087 3.968 3.858 3.756 3.661 3.572 3. 247 3. 150 3. 080 3. 006 2. 937 2. 872 3, 367 3, 278 3, 191 2, 113 3, 040 2, 972 3. 727 3. 622 3. 525 3. 435 3. 351 3. 272 3. 967 3. 953 3. 747 3. 649 3. 558 3, 007 2, 930 2, 858 2, 792 2, 730 2, 672 3. 127 3. 045 2. 969 2. 899 2. 833 2. 772 3. 487 3. 391 3. 302 8. 220 3. 144 3. 072 3. 607 3. 506 3. 414 3. 327 3. 247 3. 172 2.5%7 2.525 2.469 2.417 2.368 2.322 2.827 2.756 2.691 2.631 2.575 2.522 2,887 2,814 2,747 2,685 2,626 2. 947 2. 872 2. 802 2. 738 2. 678 2. 622 2. 527 2. 468 2. 414 2. 363 2. 316 2. 272 2.647 2.583 2.525 2.470 2.420 2.372 2,707 2,641 2,580 2,524 2.767 2.699 2.636 2.577 2, 407 2, 353 2, 302 2, 256 2, 213 2, 172 2.467 2.410 2.358 2.310 25 27 28 29 30 2 471 2 422 2.523 2.472 3, 296 3, 224 3, 157 3, 093 3, 033 3, 392 3, 318 3, 248 3, 181 3, 119 3, 566 3, 505 3, 429 3, 358 3, 290 3, 005 2, 943 2, 884 2, 828 2, 776 3, 489 3, 411 3, 338 3, 270 3. 102 3. 036 2. 975 2. 917 2. 862 3, 199 3, 130 3, 065 3, 005 2, 943 2, 473 2, 427 2, 384 2, 343 2, 305 2. 618 2. 568 2. 520 2. 476 2. 433 2.715 2.661 2.611 2.564 2.519 2, 812 2, 755 2, 702 2, 652 2, 605 2,909 2,849 2,793 2,740 2,690 2, 376 2, 333 2, 293 2, 254 2, 219 2. 425 2. 380 2. 339 2. 299 2. 262 2. 522 2. 474 2. 429 2. 387 2. 348 2,570 2,521 2,475 2,431 2,390 2.183 2.146 2.111 2.078 2.048 2, 231 2, 193 2, 157 2, 123 2, 090 2, 280 2, 240 2, 202 2, 168 2, 133 2.328 2.286 2.248 2.134 2.099 2.066 2.034 31 32 33 34 35 2.211 2.176 2,005 2.977 2.923 2.873 2.825 2.779 3, 060 3, 005 2, 952 2, 902 2, 854 3. 144 3. 086 3. 031 2. 979 2. 929 3, 227 3, 157 3, 110 3, 056 3, 004 2.394 2.356 2.320 2.286 2.254 2.644 2.599 2.557 2.517 2.479 2, 727 2, 680 2, 636 2, 594 2, 554 2.810 2.761 2.715 2.671 2.629 2,894 2,842 2,794 2,748 2,704 2.310 2.275 2.241 2.209 2.179 2, 352 2, 315 2, 281 2, 248 2, 217 2. 477 2. 437 2. 399 2. 363 2. 329 2.560 2.518 2.478 2.440 2.404 2, 269 2, 234 2, 202 2, 171 2, 142 2.019 1.991 1.965 1.940 1.917 2.060 2.032 2.004 1.979 1.954 2, 102 2, 072 2, 044 2, 017 1, 992 2. 144 2. 113 2. 083 2. 056 2. 029 2, 185 2, 153 2, 123 2, 094 2, 067 2, 227 2, 194 2, 162 2, 133 2, 104 L.977 L.950 L.925 L.902 L.879 36 37 38 39 40 42 44 45 50 2.837 2.754 2.678 2.608 2.543 2,909 2,822 2,743 2,670 2,603 2, 623 2, 549 2, 452 2, 420 2, 363 2 695 2 617 2 547 2 483 2 423 2.766 2.686 2.612 2.545 2.483 2, 450 2, 413 2, 351 2, 295 2, 243 2.552 2.481 2.417 2.358 2.303 2.087 2.038 1.993 1.951 1.913 2. 123 2. 072 2. 025 1. 963 1. 943 2.159 2.106 2.058 2.014 1.973 2, 195 2, 140 2, 091 2, 045 2, 003 2.266 2.208 2.156 2.108 2.063 2. 337 2. 277 2. 221 2, 409 2, 345 2, 286 2, 233 2, 183 2,016 1,970 1,928 1,889 1,853 1. 930 1. 936 1. 895 1. 858 1. 823 2, 052 2, 004 1, 980 1, 920 1, 873 1, 833 1, 797 1, 764 1, 733 1. 909 1. 887 1. 830 1. 795 1. 763 1. 837 1. 799 1. 764 1. 733 1. 703 1. 944 1. 901 1. 862 1.826 1.793 2. 484 2. 429 2. 378 2. 330 2. 286 2,542 2,485 2,432 2,381 1,336 2. 258 2. 207 1. 164 2. 124 2. 086 2, 311 2, 262 2, 217 2, 175 2, 136 2, 369 2, 318 2, 271 2, 227 2, 186 2, 426 2, 374 2, 324 2, 279 2, 236 2. 138 2. 096 2. 057 2. 020 1. 985 2. 196 2. 151 2. 110 2. 072 2. 035 1.878 1.846 1.815 1.787 1.761 1, 965 1, 929 1, 896 1, 865 1, 836 2,080 2,040 2,003 1,968 1,938 1.907 1.873 1.842 1.813 1.786 1. 936 1. 901 1. 869 1. 839 1. 811 2. 022 1. 985 1. 949 1. 917 1. 888 1, 763 1, 735 1, 708 1, 684 1, 661 L 821 L 790 L 762 L 736 L 711 1.849 1.818 1.789 1.761 1.738 1. 676 1. 651 1. 628 1. 606 1. 586 1.705 1.679 1.655 1.632 1.611 1.792 1.762 1.735 1.710 1.734 1.707 1.682 52 54 56 58 60 1.658 1.636 1.686 1. 956 1. 888 1. 829 2.049 1.974 1.909 2,095 2,017 1,949 2.141 2.060 1.989 2 187 2 102 2 029 2, 283 2, 145 2, 069 1.703 1.652 1.609 1,864 1,802 1,749 1,910 2.003 L 931 L 726 L 674 L 629 1,749 1,695 1,649 1.772 1.717 1.669 1,818 1,760 1,709 1, 679 1, 631 1, 589 1. 541 1. 502 1. 469 1. 564 1. 524 1. 439 L 587 L 545 L 509 L 610 L 567 L 529 1.633 1,656 65 70 75 1.610 1.569 1.588

TABLE 4

VALUES AND COMPUTATIONS FOR OBTAINING IDEAL DESIGN
[Pi=3.0 kips/in.; c=1]

	Step 1		Ste	эр 2	· · · · · · · · · · · · · · · · · · ·	Step 3	Step 4		Step 5	
L (in.)	$\left(rac{P_i}{L_i^{\prime}\sqrt{c}} ight)$	$rac{t_{\pi}}{t_{s}}$	bs ts	<u>6₩</u>	(ksl)	A:	is (in.)	(in.)	<i>bs</i> (in.)	ów (in.)
10	0. 30	0. 51 . 63 . 79 1. 00	27 28 29 29	28 25 24 24	* 34. 0 35. 6 36. 7 37. 4	1. 427 1. 602 1. 860 2. 337	* 0.0618 .0526 .0440 .0343	* 0. 0315 . 0331 . 0348 . 0343	* 1. 67 1. 47 1. 28 1. 00	4 0, 82 .83 .83 .82
20	. 15	. 51 . 68 . 79 1. 00	32 33 34 85	32 31 29 28	28.7 • 30.4 31.6 82.2	1. 429 1. 612 1. 862 2. 268	.0732 4.0612 .0510 .0411	.0373 •.0396 .0403 .0411	2.34 • 2.02 1.73 1.44	1. 19 • 1. 20 1. 17 1. 15
30	.10	.51 .63 .79 1.00	34 35 87 38	37 35 33 31	25. 0 • 27. 1 • 27. 8 • 28. 6	1. 457 1. 640 1. 886 2. 278	. 0824 • . 0675 · 0672 · 0461	.0421 • .0425 .0452 .0461	2. 90 • 2. 36 2. 12 1. 78	1.56 • 1.49 1.49 1.43

<sup>•</sup> Values indicating designs that approach requirement of  $t_8$ =0.064 in.

TABLE 5
VALUES AND COMPUTATIONS FOR OBTAINING PRACTICAL DESIGN BY SHORT METHOD

 $\left[\begin{array}{c}P_{\ell}{=}3.0~\text{kips/in.};~L{=}20~\text{in.};~c{=}1;~ts{=}0.064~\text{in.};\\\frac{tw}{ts}{=}0.79\end{array}\right]$ 

Step 1		Step 2		Step 3	Step 4		Step 5		St	ep 6		Step 7		
$\frac{P_i}{L\sqrt{c}}$	<u>bs</u>	o.w	∂ <sub>f</sub> (ksi)	$\frac{A_i}{ts}$	<i>is</i> (in.)	<u>bs</u> ts	<u>ður</u> tur	(ksi)	$\frac{A_i}{ts}$	P; (kips/in.)	<i>t</i> ₩ (in.)	ða (in.)	bw (in.)	(ksi)
(kips/in.)		रंग			(222,)	1	For <i>t</i> =0.064 i	n,		(1150,111,)	(11117)	(111.)	(ln.)	
0. 15	30 85 40 50	\$0 30 28 28	30. 9 31. 7 29. 7 27. 1	2, 006 1, 862 1, 711 1, 531	0. 0484 . 0508 . 0590 . 0722	43.3	26, 1	28.8	1.619	2. 98	0.051	2.77	1.33	23.5

TABLE 6 VALUES AND COMPUTATIONS FOR OBTAINING DESIGN FOR MAXIMUM STRUCTURAL EFFICIENCY  $\left[P_{i}=3.0 \text{ kips/in.}; L=20 \text{ in.}; c=1; ts=0.084 \text{ in.}; \frac{t\pi}{ts}=0.79\right]$ 

Step 1		Step 2		Step 3	Step 4		Step 7		St	ep 8		Step 9		
$\frac{\frac{P_i}{L\sqrt{c}}}{\frac{kips/in.}{in.}}$	<u>bs</u>	bw t₩	न् (ksi)	$\frac{A_t}{ts}$	<i>is</i> (in.)	ba ta	<u>ðw</u> tw	₹, (ksl)	$\frac{A_i}{ts}$ .	P: (kips/in.)	ℓw (in.)	<i>bs</i> (in.)	b₩ (in.)	(ksi)
(kipsym.)		2 HF	(233)	18	(,	F	or ts=0.064 i	n.		(Elps/III.)	(111.)	()	(111.)	
0. 15	20	25 30 35 40	26. 4 27. 1 27. 3 27. 8	1. 858 1. 715 1. 613 1. 536	0.0612 .0646 .0682 .0702	42. 1	25.0	29. 0	1. 612	2, 99	0.051	2, 69	1. 27	24.6
	25	30 85 40 50	29. 9 30. 2 29. 5 27. 1	1. 861 1. 738 1. 645 1. 516	. 0549 . 0572 . 0618 . 0780						į			
	30	35 40 50 60	31. 7 29. 6 26. 9 24. 5	1.862 1.755 1.604 1.503	.0508 .0578 .0696 .0814									
:	40	35 40 50 50	26, 2 25, 8 23, 8 22, 6	2. 112 1. 973 1. 778 1. 649	. 0542 . 0589 . 0709 . 0805									
	50	35 40 50 60	23. 2 23. 4 22. 3 20. 7	2, 362 2, 192 1, 953 1, 794	. 0547 . 0584 . 0688 . 0812									

TEST DATA ON WHICH DESIGN CHARTS ARE BASED FOR 24S-T ALUMINUM-ALLOY FLAT PANELS WITH LONGITUDINAL Z-SECTION STIFFENERS

TABLE 7

																			7	1
<del></del>											·	<del></del>		 8	<u>.</u>			 \ \ \	-	2. E
			 *			<del></del>		-	<u> </u>			<u> </u>					<u>-</u>			
25. 26. 3 25. 7 21. 1 15. 0	12237 1422	5228 5443 000	15.05 15.05	E2223	7,5,5,5 1,6,5,7,	27.4 27.4 27.4		<del></del>	26.28 27.80 24.48	13.5 26.7 36.7 36.7 36.7 36.7 36.7 36.7	*85 	12 22 23 23 24 25 25 25 25 25 25 25 25 25 25 25 25 25	25.6 25.6 26.6	25.9 20.5 16.4	I 22 23 25 25 25 25 25 25 25 25 25 25 25 25 25	25.3 25.0 26.0	26.0 26.0 30.8 30.8 30.8 30.8		_	g,
	. 557 . 297 . 177									3:5883	3 53 54 53 55 53 55				201128					(kips/in/m.)
			·							75								8	) 9	E-18
প্ত	8			8			엻		•	. 8	8	5			8					#   E
<u>.</u>	<b>#</b>	, Cr	į.	Ċa	ć,	į.	i.o	, o		ç.		i.	Ç1	*	÷	ČA		5		3
17.0 16.2 14.9	19.2 17.9 12.8	20.6 19.8 17.0	19.1 10.8 17.7	19.9 18.8 4.4 18.4 18.4	20.9 19.4 17.6	21.0 19.4 17.5	21.0 18.6 16.5	21. 2 18. 6 17. 2 13. 3	20.5 19.5 12.0	12.5 12.5 13.5 13.5 13.5	21.3 19.1	1322 1322 1422 1422 1422 1422 1422 1422	24.5 24.4 16.5	22.8 23.8 16.4	25.6 24.3 15.7	26.5 24.9 15.8	24.0 22.0 23.0	20.8 20.8 20.8		Îg.º
		. 272 . 148 . 089			. 345 . 115 . 285		. 378 . 191 . 1089				285		. 321 . 174 . 116	. 323 . 176 . 060		. 403 . 217 . 069	. 221 227 264 260	. 241		(Figure )
		8											æ				,	ß		z l
		8	8	<b>.</b>			8			13			8	8	*5	೫	25	<b>1</b>		¥ :
· CP1	*	မ	<b>,</b>	i.	GR.	*	60	<b>.</b>	į.	to.	ė,	4		j.	į.	*				2
1,223 1,235 1,200	#23 12 12 5 12 12 12 12 12 12 12 12 12 12 12 12 12	25.0 25.0 25.0 25.0 25.0	24.0 19.2	27. 8 24. 9 16. 9	13.00 4.10 10.00 1	30.7 31.4 28.1 18.5	20.0 27.0 17.0	32.5 30.9 17.4	32.8 32.4 26.1	22.1 22.1 24.7	888 -05	28.5 28.0 15.4	15.55 6 4.55 6 4.65 6 4.65	15.71 15.71	24.4 25.5 26.6	96.00 to 50.00 to 50.	12 22 28 22 28 26 26 26 26 26 26 26 26 26 26 26 26 26	K 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2		E,
. 410 . 216 . 137			.089		.314 .178 .116				. 235		 228 28		.072 .072		.042 .042		. 517 . 242 . 182 . 184		, ta o	(kips/in.)
										78								2	ነ ም	r!
8	8			8			ĸ			8	8	\$			8			3		¥ 5
4	<b>i</b> -	÷.		÷	č,		<u>.</u>	ċ	<u>;</u>	<b></b>		<u>;</u>				, 61	<u>.</u>	ç		8
ББ.7.7 1.60	18.6 13.4	21.0 20.2 14.0	21.2 21.0 18.8 14.1	13.6 15.6 13.6 13.6	22.7 20.9 18.1 18.8	15.4 15.4 11.3	122.7 14.6 12.1	# 15 25 G	22 E E E E E E E E E E E E E E E E E E	15.8 15.8 15.8	19.6 19.6	22.4 27.4 17.4	26.2 24.0 17.1	15 25 25 25 20 25 25 20 25	15223 3500 3000	17,52 pg 2000	#25 00 4.0 0	# 25 P.		G.
																		_		(Hps/fm.

# 579

TABLE 7—Concluded

TEST DATA ON WHICH DESIGN CHARTS ARE BASED FOR 24S-T ALUMINUM-ALLOY FLAT PANELS WITH LONGITUDINAL Z-SECTION STIFFENERS—Concluded

						11011	UDII	MAL A	2-SECTIO	N 511	÷	15160		inaea					,
bs ts	bw tw	or b₩	رَّ (ksi)	$\left(rac{P_i}{L/\sqrt{c}} \left(rac{ ext{kips/in.}}{ ext{in.}} ight) ight]$	bs ts	<u>b</u> w t <del>w</del>	br bw	رَّ (ksi)	$\left(rac{P_i}{L/\sqrt{c}} ight) \left(rac{ ext{kips/in.}}{ ext{in.}} ight)$	bs ts	ber tw	by bw	<i>ē₁</i> (ksi)	$\left(rac{P_l}{L/\sqrt{c}} \left(rac{ ext{kips/in.}}{ ext{in.}} ight)$	bs Is	bw tw	by bw	a, (kal)	$\left( egin{array}{c} rac{P_i}{L/\sqrt{e}} \ \left( egin{array}{c}  ext{kips/in.} \  ext{in.} \end{array}  ight)$
				$\frac{t_{B'}}{t_B}$	-0. 79									tw ta	<b>-1.00</b>				
85	20	0.3	34. 5 34. 4 20. 9	0. 470 . 270 . 148	80	25 •	0.4	23. 8 17. 0	0.092 .048	85	20	0. 3	36. 3 82. 8 26. 8	0. 430 . 215 . 123 . 059	50	25	0.4	24.5 18.0	0. 08 <b>3</b> . 016
	İ	.4	35.7 34.6	. 472			.5	28. 5 27. 4 23. 5 17. 2	.309 .169 .102 .053			.4	17. 6 36. 7 33. 7 27. 3	. 059 . 418 . 222 . 122			. 5	30. 8 27. 9 23. 9 17. 5	. 270 . 139 . 084 . 014
	i	.5	29. 7 16. 8 34. 8	. 157 . 062 . 449		30	.8	27.8 26.6 23.6	. 250 . 137 . 084 . 044		= . {	.5	17. 5 36. 1	.057		30	.8	28. 2 25. 9 23. 3	.21\$ .112 .070 .037
			38. 7 27. 7 17. 6	. 449 . 249 . 141 . 065			.4	27.6 26.8	.238				34. 1 28. 0 17. 2	. 414 . 223 . 130 . 057			.4	16.6 29.0 27.5	.037 .218 .120 .055 .036
	25	.8	37.0 82.6 28.2 17.6	.394 .202 .126 .058			.5	22. 6 17. 2 26. 9	. 079 . 043 . 234 . 122		25	.3	33. 5 81. 7 27. 3 18. 1	. 338 . 190 . 108 . 052			.5	21.8 16.6 28.1	.215
		.4	35. 2 33. 3 29. 3	. 374 . 204 . 123 . 052			_	25. 0 28. 7 16. 5	. 084 . 040			.4	35. 4 31. 8 28. 7	. 847 . 177 . 112 . 047				28. I 26. 3 29. 7 16. I	.117 .070 .036
	!	. 5	17. 1 33. 2 33. 8	. 052 . 357 . 218	75	20	.8	22.9 21.7 17.4 12.7	.306 .167 .092 .049		7:	. 5	35. 3 33. 1	. 358 . 190	76	20	.8	24. 0 23. 2 18. 3 14. 6	. 935 . 129 . 072 . 041
	80	.8	17. 7 88. 8	.056			.4	24. 7 23. 1 20. 4	. 313 . 168 . 106	-	<b>3</b> 0	.3	25.3 16.8 83.1	. 103			.4	25, 9 28, 8 20, 1	. 245 . 128 . 076
			32. 0 28. 5 18. 6	.181 .110 .052			.5	14. 2 24. 2 22. 3	. 052 . 298 . 157 . 094 . 046		23 (		29. 4 23. 6 16. 0	. 149 . 084 . 037			.5	26. 1 26. 7 20. 2	.039 .250 .129 .077
		.4	\$2. 5 . 31. 7 28. 2 17. 5	.813 .178 .107 .048		25	.8	19. 4 18. 8	.046			.4	33. 3 31. 6 23. 8 15. 1	. 291 . 103 . 083 . 038		25	.8	14.8 24.2 22.4 20.7	.041
		.5	31.2 30.2 26.5	.302 .162 .101				19.3 13.8	.077		<b>.</b> .	.5	32.7 30.1 26.0	. 300 . 160 . 095				14.7	. 200 . 101 . 066 . 033
50	20	.3	17. 1 28. 7 27. 2 28. 4	.046 .369 .205	-		.4	24. 4 22. 6 19. 5 13. 4	. 236 . 125 . 075 . 037	50	20	.8	18.5 30.2 27.8 23.2 18.5	. 036 . 320 . 165 . 006 . 051			.4	25.8 24.1 21.1 14.3	. 199 . 106 . 065 . 033
	ļ	. 4	20. 4 16. 2 29. 6 27. 2	. 128 . 061 . 374 . 194			.5	23.6 22.9 19.9 14.2	. 242 . 137 . 083 . 041		·	.4	18. 5 31. 6 29. 1				. 5	25. 5 23. 9 21. 5 14. 1	. 199 . 108 . 067 . 022
		.5	23. 2 16. 4 29. 7	.115 .059		30	.8	22.9 22.8 19.2	. 199 . 109 . 066			. 5	24.1 16.7	.322 .167 .096 .018		30	,3	28.9 21.6 19.6	. 161 . 084 . 053 . 026
			28. 5 23. 1 16. 4	.201 .112 .062		Ì	.4	14. 4 '28. 6 21. 6	.035 .198 .102				32.0 28.2 28.2 16.5	. 328 . 164 . 092 . 049			.4	14, 5 24, 2 22, 8	. 026 . 100 . 086 . 056 . 028
	25	.3	28. 9 28. 2 24. 4 16. 9	. 295 . 165 . 100 . 049			. 5	19.7 14.0 22.5	. 067 . 033		<b>25</b>	.3	29. 6 27. 1 24. 3 17. 2	.200 .134 .084 .042			.5	20.8 14.8	1 1
		.4	29. 2 27. 8	. 277 . 158				20. 9 18. 9 14. 8	. 182 . 095 . 001 . 037		-	.4	31. 0 27. 7	. 262 . 138				90.2 14.1	. 163 . 088 . 058 . 027